| Source | $:$ Mitsubishi Electric (Trium-RD) |  |
| :--- | :--- | :--- |
| Title | $:$ | Minor corrections to 25.212 (Rate Matching, p-bit insertion, PhCH segmentation) |
|  | $\mathbf{2 5 . 2 1 2}$ CR 72 |  |
|  | Document for | Decision | : Decision

## Introduction

In this paper we propose several correction and editorial changes to 25.212 version 3.2.0

## Changes that have been done:

| section | nature | description and motivation |
| :---: | :---: | :---: |
| $\begin{aligned} & 1^{\text {st }} \text { IL, p-bits } \\ & \text { insertion } \end{aligned}$ | correction | The P1 permutation is such that $\mathrm{P} 1(\mathrm{x})$ is the orginal column position of column number x after permutation. So the p-bits insetion description works because P1 is self-inverse, but if it was not self-inverse it would be incorrect. We have corrected the section so that the description does no longer depends on this that P 1 is self-inverse. |
| $1^{\text {st }}$ IL operation | editorial | $C_{I}, R_{I}$ and $\mathrm{P}_{1}$ replaced by $\mathrm{C} 1, \mathrm{R} 1$ and $\mathrm{P} 1 . C_{I}$ is already used as $C_{i}$, the code block number, for the last channel $i=I$. For the notation to be uniform through the section, the same type of change has been done to $R_{I}$ and $\mathrm{P}_{1}$. |
| $1^{\text {st }}$ IL | editorial | the column permutation function is noted $\mathrm{P} 1_{\mathrm{Fi}}$ whereas it used to be noted either $\mathrm{P}_{1}$ (no index by the column number) or $\mathrm{P}_{\mathrm{Fi}}$ (the name does not contain the 1 of P 1 hinting that the permutation is for the $1^{\text {st }} \mathrm{IL}$ ). |
| $1^{\text {st }} \mathrm{IL}, \mathrm{p} \text { bit }$ insertion | editorial | In the text, it is said that P1 is defined by the table 3 above. In fact Table 3 is in the following subsection. |
| RM, CM by puncturing | editorial | replaced TrCh and CCTrCh by TrCH and CCTrCH |
| RM, CM by puncturing | editorial | replaced "uncompressed radio frames" by "radio frames not overlapping with a transmission gap". Uncompressed is misleading, as a TTI overlapping with a transmission gap is compressed, and might well also contain a radio frame not overlapping with a transmission gap. |
| RM, CM by puncturing | editorial | improved readability by replacing the ASCII like notation $\mathrm{Np}^{\mathrm{n}}{ }_{\mathrm{i}, \mathrm{l}}$ and $\mathrm{Np}^{\mathrm{TTI}, \mathrm{m}}{ }_{\mathrm{i}, \mathrm{I}}$ and $\Delta \mathrm{N}^{\mathrm{TTI}, \mathrm{m}}{ }_{\mathrm{i}, \mathrm{l}}$ by edited formulas $N p_{i, l}^{n} N p_{i, l}^{T T I, m} . \Delta N_{i, l}^{T T 1, m}$ |
| RM, CM by punctureing | correction | In forumula $\Delta N^{T T L, m}{ }_{i, \max }=\Sigma_{n=0}{ }^{n=F i} \Delta N^{n}{ }_{i, *}$ corrected so that the summation is carried out from $\mathrm{n}=0$ to $\mathrm{n}=F_{i}-1$, instead of up to $F_{i}$. |


| RM, fixed position 4.2.7.2.1 | editorial | A sentence has been added to refer to the place where $\Delta N_{i, l}^{T T I}$ is computed from $\Delta N_{\text {max }}$ and $N_{\text {max }}$ |
| :---: | :---: | :---: |
| Physical channel segmentation | editorial | The number of input bits has been renamed from $Y$ to $X$. It looked unusual to us that the bits are named $x_{k}$ and $k$ is from 1 to $Y$ instead from 1 to $X$ |
| Physical channel segmentation | correction | There was a problem as sometimes the letter $V$ was used instead of the letter $U$. |
| RM, UL, pattern determination $\mathrm{e}_{\text {ini }}$ setting | correction | On the e-mail reflector is was clarified that the $I_{F}$ function that is called "interleaving function" used in the column-wise pattern shifting 'S formula' is in fact the column permutation function P1. So we aligned this. Instead of using P1 where the $S$ is written, we use it were $S$ is read in order to be consistent with the definition of P1, this makes no functional difference as P1 is self-inverse. We invite the proponents of the $S$ formula to check whether it is P1 or its inverse that shall be used (since P1 is self-inverse there is no functional difference, but for the sake of clarity we should use the correct one). |
| $2^{\text {nd }}$ IL | editorial | For the same reason as for the $1^{\text {st }} \mathrm{IL}, \mathrm{R}_{2}, \mathrm{C}_{2}$ and $\mathrm{P}_{2}$ have been renamed $\mathrm{R} 2, \mathrm{C} 2$, and P2. |
| $1^{\text {st }}$ and $2^{\text {nd }}$ IL | clarification | It has been clarified in the table giving the column permutation that the list given is $(\mathrm{P}(0), \mathrm{P}(1), \ldots, \mathrm{P}(\mathrm{C}-1))$. Also curly brackets were replaced by round brackets. |
| In many places | editorial | Symbols not in italic were put in italic |

## Changes that should be done

According to us all the first part of 4.2.7.2.1.2 up to "Calculations of $N p_{i, \max }^{n}$ and $N p_{i, \text { max }}^{T T I, m}$ " exclusive is useless and confusing. It should be suppressed. Furthermore, in the same section, the formula $\Delta N_{i, \max }^{T T I, c m, m}=\Delta N_{i, \max }^{T T I, m}-N p_{i, \text { max }}^{T T I, m}$ should be replaced by $\Delta N_{i, \max }^{T T I, c m, m}=\Delta N_{\max } . N p_{i, \max }^{T T T, m}$ where $\Delta N_{\max }$ replaces $\Delta N_{i, \text { max }}^{T T I, m}$. We also don't understand the need for and the meaning the notation $N_{i, l}^{T T I, m} . N_{i, l}^{T T I}$ is the amount of bit input to the rate matching function for $\operatorname{TrCH} i$ and $\operatorname{TF} l$. This amount is entierely determined by $i$ and $l$, so what is the meaning of the TTI number $m$ ?

These corrections, though clearly needed, have not been made in the document, in order to avoid blocking the CR by non obvious changes, and let the proponent of the concerned section sort it out.

## Conclusion

We propose the CR enclosed hereinafter to be accepted.

## CHANGE REQUEST

Please see embedded help file at the bottom of this page for instructions on how to fill in this form correctly.

|  | 25.212 CR | 72 | Current Version: | 3.2 .0 |
| :---: | :---: | :---: | :---: | :---: |
| GSM (AA.BB) or 3G (AA.BBB) specification number $\uparrow$ |  | $\uparrow$ CR number as allocated by MCC support team |  |  |
| For submission to: RAN\#8 <br> list expected approval meeting \# here $\uparrow$ | for approval for information | X | strategic non-strategic | (for SMG use only) |
| Form: CR cover sheet, version 2 for 3GPP and SMG |  |  | The latest version of this form is available from: ftp://ftp.3gpp.org/Information/CR-Form-v2.doc |  |


| Proposed change affects: | (U)SIM $\square$ | $\square$ | ME | $\mathbf{X}$ | UTRAN / Radio | $\mathbf{X}$ | Core Network $\square$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| (at least one should be marked with an $X$ ) |  |  |  |  |  |  |  |

(at least one should be marked with an X)
Source: Mitsubishi Electric Date: $11^{\text {th }}$ April 2000

Subject: $\quad$ Minor corrections to 25.212 (Rate Matching, p-bit insertion, PhCH segmentation)
Work item: TS 25.212

| Category: | F | Correction |  |
| :--- | :--- | :--- | :--- |
|  | A | Corresponds to a correction in an earlier release |  |
|  |  |  |  |
| (only one  <br> catagory  <br> shall B e marked | C | Addition of feature |  |
| with an $X$ ) | D |  |  |

Release: Phase 2
Release 96
Release 97
Release 98
Release 99
Release 00


Reason for - P1 $1^{\text {st }} \mathrm{IL}$ column permutation is not named clearly
change:

- formula $\Delta N^{T T L, m}{ }_{i, \max }=\Sigma_{n=0}^{n=F i} \Delta N^{n}{ }_{i, *}$ should sum up to $F_{i}-1$
- PhCH segmentation uses sometimes symbol $V$ instead of $U$

Clauses affected: $\quad 4.2 .5 . ; 4.2 .7 . ; 4.2 .9 .2 . ; 4.2 .10,4.2 .11$


## Other <br> comments:

### 4.2.5 $\quad 1^{\text {st }}$ interleaving

In Compressed Mode by puncturing, bits marked with a fourth value on top of $\{0,1, \delta\}$ and noted $p$, are introduced in the radio frames to be compressed, in positions corresponding to the first bits of the radio frames. They will be removed in a later stage of the multiplexing chain to create the actual gap. Additional puncturing has been performed in the rate matching step, over the TTI containing the compressed radio frame, to create room for these p-bits. The following subclause describes this feature.

### 4.2.5.1 Insertion of marked bits in the sequence to be input in first interleaver

In normal mode, compressed mode by higher layer scheduling, and compressed mode by spreading factor reduction:

$$
\mathrm{x}_{\mathrm{ik}}=\mathrm{Z}_{\mathrm{ik}} \text { and } \mathrm{X}_{\mathrm{i}}=\mathrm{Z}_{\mathrm{i} .}
$$

In case of compressed mode by puncturing and fixed positions, sequence $\mathrm{x}_{\mathrm{i}, \mathrm{k}}$ which will be input to first interleaver for $\operatorname{TrCh} i$ and TTI $m$ within largest TTI, is built from bits $\mathrm{z}_{i, k}, k=1, . . Z_{i}$, plus $N p{ }^{T T I, m}{ }_{i, m a x}$ bits marked p and $X_{i}=Z_{i}+N p^{T T I, m}{ }_{i, \text { max }}$, as is described thereafter.
$N p{ }^{T T I, m}{ }_{i, \text { max }}$ is defined in the Rate Matching subclause 4.2.7.
$\mathrm{P} \underline{1}_{\mathrm{Fi}} \mathrm{f}(\mathrm{x} \nmid \mathrm{)}$ defines the inter column permutation function for a TTI of length $\mathrm{Fi} * 10 \mathrm{~ms}$, as defined in Table 3 abovein section 4.2.5.2. $\left.\mathrm{P}_{\mathrm{Fif}}(\mathrm{x}\}\right)$ is the Bit Reversal function of x on $\log _{2}(\mathrm{Fi})$ bits.

NOTE 1: $C[x], x=0$ to $\mathrm{Fi}-1$, the number of bits p which have to be inserted in each of the Fi segments of the TTI, where x is the column number before permutation, i.e. in each column of the first interleaver. $\mathrm{C}\left[\underline{\mathrm{P}} 1_{\mathrm{F}} \mathrm{i}(\mathrm{x})\right]$
 following initialisation step.

NOTE 2: $\operatorname{cbi}[\mathrm{x}], \mathrm{x}=0$ to $\mathrm{Fi}-1$, the counter of the number of bits p inserted in each of the Fi segments of the TTI, i.e. in each column of the first interleaver. $x$ is the column number before permutation.
$\mathrm{col}=0$
while col $<F_{i}$ do -- here col is the column number after column permutation
$\mathrm{C}\left[\underline{\mathrm{P}}_{\underline{E i}}(\mathrm{col})\right]=N p_{i}^{\mathrm{col}} \mathrm{Np}^{\text {cot }}{ }_{i} \quad-\quad-$ initialisation of number of bits p to be inserted in each of the $\underline{F}_{i} \mathrm{Fi}$ segments of the TTI
$\operatorname{cbi}\left[\underline{\mathrm{P}}_{\underline{F i}}(\mathrm{col})\right]=0 \quad-\quad-$ initialisation of counter of number of bits p inserted in each of the $\underline{F}_{\underline{i}} \mathrm{Fi}$ segments of the TTI
end do

$$
\mathrm{n}=0, \mathrm{~m}=0
$$

while $\mathrm{n}<\mathrm{X}_{\mathrm{i}}$ do -- from here col is the column number before column permutation

$$
\begin{aligned}
& \mathrm{col}=n \bmod F_{i} \\
& \text { if cbi } \left.[\mathrm{col}]<\mathrm{C}^{2} \mathrm{P}_{\mathrm{Fi}}(\mathrm{col})\right] \text { do } \\
& \quad \mathrm{x}_{\mathrm{i}, \mathrm{n}}=\mathrm{p} \\
& \quad \text { cbi[col }]=\text { cbi }[\mathrm{col}]+1 \\
& \text { else } \\
& \qquad \begin{array}{l}
\mathrm{x}_{\mathrm{i}, \mathrm{n}}=\mathrm{z}_{\mathrm{i}, \mathrm{~m}} \\
\mathrm{~m}=\mathrm{m}+1
\end{array} \\
& \text {-- update counter of number of bits } \mathrm{p} \text { inserted } \mathrm{p} \text { bit } \\
& \text { endif }
\end{aligned}
$$

$\mathrm{n}=\mathrm{n}+1$
end do

### 4.2.5.2 $\quad 1^{\text {st }}$ interleaver operation

The $1^{\text {st }}$ interleaving is a block interleaver with inter-column permutations. The input bit sequence to the $1^{\text {st }}$ interleaver is denoted by $x_{i 1}, x_{i 2}, x_{i 3}, \ldots, x_{i X_{i}}$, where $i$ is $\operatorname{TrCH}$ number and $X_{i}$ the number of bits (at this stage $X_{i}$ is assumed and guaranteed to be an integer multiple of TTI). The output bit sequence is derived as follows:
(1) Select the number of columns $\underline{\mathrm{C} 1} \epsilon_{t}$ from table 3 .
(2) Determine the number of rows $\underline{\mathrm{R} 1} R_{t}$ defined as:

$$
\underline{\mathrm{R} 1 \mathrm{R}_{\mathrm{t}}}=\underline{X_{i}} / \underline{\mathrm{C} 1} X_{i} / \mathrm{C}_{\mathrm{I}}
$$

(3) Write the input bit sequence into the $\underline{\mathrm{R} 1} \boldsymbol{R}_{\Gamma} \times \underline{\mathrm{C} 1} \epsilon_{I}$ rectangular matrix row by row starting with bit $x_{i, 1}$ in the first column of the first row and ending with bit $x_{i,(\mathrm{R1} 1 \mathrm{C} 1)} \boldsymbol{x}_{i,\left(R_{I} C_{I}\right)}$ in column $\underline{\mathrm{C} 1} \epsilon_{I}$ of row $\underline{\mathrm{R} 1} R_{I}$ :
$\left[\begin{array}{ccclc}x_{i 1} & x_{i 2} & x_{i 3} & \ldots & x_{i, \mathrm{C} 1} \\ x_{i,(\mathrm{C} 1+1)} & x_{i,(\mathrm{C} 1+2)} & x_{i,(\mathrm{C} 1+3)} & \ldots & x_{i,(2 \mathrm{Cl})} \\ \vdots & \vdots & \vdots & \ldots & \vdots \\ x_{i,((\mathrm{R} 1-1) \mathrm{C} 1+1)} & x_{i,((\mathrm{R} 1-1) \mathrm{C} 1+2)} & x_{i,((\mathrm{R} 1-1) \mathrm{C} 1+3)} & \ldots & x_{i,(\mathrm{R} 1 \cdot \mathrm{Cl})}\end{array}\right]$
$\left[\begin{array}{cccl}x_{i 1} & x_{i 2} & x_{i 3} & \ldots \\ x_{i C_{I}} \\ x_{i,\left(C_{I}+1\right)} & x_{i,\left(C_{I}+2\right)} & x_{i,\left(C_{I}+3\right)} & \ldots x_{i,\left(2 C_{I}\right)} \\ \hline \vdots & \vdots & \vdots & \ldots \\ \vdots \\ x_{i,\left(\left(R_{I}-1\right) C_{I}+1\right)} & x_{i,\left(\left(R_{I}-1\right) C_{I}+2\right)} & x_{i,\left(\left(R_{I}-1\right) C_{I}+3\right)} & \ldots x_{i,\left(R_{I} C_{I}\right)}\end{array}\right]$
(4) Perform the inter-column permutation based on the pattern $\left\{\mathrm{P}_{\mathrm{Cl}} \mathrm{P}_{4}(j)\right\}(j=0,1, \ldots, \underline{\mathrm{C} 1 \mathrm{C}}$-1) shown in table 3, where ${\underline{\mathrm{P}} 1_{\mathrm{Cl}_{-}} \mathrm{P}_{+}(j) \text { is the original column position of the } j \text {-th permuted column. After permutation of the columns, }}^{\text {- }}$ the bits are denoted by $y_{i k}$ :

$$
\left[\begin{array}{ccclc}
y_{i, 1} & y_{i,(\mathrm{R} 1+1)} & y_{i,(2 \mathrm{R} 1+1)} & \ldots & y_{i,((\mathrm{Cl} 1-1) \mathrm{R} 1+1)} \\
y_{i, 2} & y_{i,(\mathrm{R} 1+2)} & y_{i,(2 \mathrm{R} 1+2)} & \ldots & y_{i,(\mathrm{Cl} 1-1) \mathrm{R} 1+2)} \\
\vdots & \vdots & \vdots & \ldots & \vdots \\
y_{i, \mathrm{R} 1} & y_{i,(2 \mathrm{RI})} & y_{i,(3 \mathrm{RI})} & \ldots & y_{i,(\mathrm{C} 1 \cdot \mathrm{RI})}
\end{array}\right]\left[\begin{array}{cccl}
y_{i 1} & y_{i,\left(R_{l}+1\right)} & y_{i,\left(2 R_{l}+1\right)} & \ldots y_{i,\left(\left(C_{l}-1\right) R_{l}+1\right)} \\
y_{i 2} & y_{i,\left(R_{l}+2\right)} & y_{i,\left(2 R_{l}+2\right)} & \ldots y_{i,\left(\left(C_{l}-1\right) R_{l}+2\right)} \\
\hline \vdots & \vdots & \vdots & \ldots \\
\vdots \\
y_{i R_{l}} & y_{i,\left(2 R_{l}\right)} & y_{i,\left(3 R_{l}\right)} & \ldots \\
y_{i,\left(C_{l} R_{l}\right)}
\end{array}\right]
$$

(5) Read the output bit sequence $y_{i 1}, y_{i 2}, y_{i 3}, \ldots, y_{i,(\mathrm{C} 1 \cdot \mathrm{R} 1)} y_{i 1}, y_{i 2}, y_{i 3}, \ldots, y_{i,\left(C_{I} R_{I}\right)}$ of the $1^{\text {st }}$ interleaving column by column from the inter-column permuted $\underline{\mathrm{R} 1} \boldsymbol{R}_{t} \times \underline{\mathrm{C} 1} \epsilon_{t}$ matrix. Bit $y_{i, 1}$ corresponds to the first row of the first column and bit $y_{i,\left(R_{I} C_{I}\right)}$ corresponds to row $\underline{\mathrm{R} 1} \boldsymbol{R}_{t}$ of column $\underline{\mathrm{C} 1} \epsilon_{t}$.

Table 3

| TTI | Number of columns C16 ${ }_{\text {I }}$ | Inter-column permutation patterns (P1 $\left.\mathrm{C}_{1}(0), \ldots, \mathrm{P} 1_{\mathrm{c} 1}(\mathrm{C} 1-1)\right)$ |
| :---: | :---: | :---: |
| 10 ms | 1 | \{ $(0)\}$ |
| 20 ms | 2 | $f(0,1\})$ |
| 40 ms | 4 | $\{(0,2,1,3)\}$ |
| 80 ms | 8 | $\{(0,4,2,6,1,5,3,7)\}$ |

### 4.2.5.3 Relation between input and output of $1^{\text {st }}$ interleaving in uplink

The bits input to the $1^{\text {st }}$ interleaving are denoted by $t_{i 1}, t_{i 2}, t_{i 3}, \ldots, t_{i T_{i}}$, where $i$ is the $\operatorname{TrCH}$ number and $T_{i}$ the number of bits. Hence, $z_{i k}=t_{i k}$ and $X_{i}=T_{i}$.

The bits output from the $1^{\text {st }}$ interleaving are denoted by $d_{i 1}, d_{i 2}, d_{i 3}, \ldots, d_{i T_{i}}$, and $\mathrm{d}_{i k}=y_{i k}$.

### 4.2.7 Rate matching

Rate matching means that bits on a transport channel are repeated or punctured. Higher layers assign a rate-matching attribute for each transport channel. This attribute is semi-static and can only be changed through higher layer signalling. The rate-matching attribute is used when the number of bits to be repeated or punctured is calculated.

The number of bits on a transport channel can vary between different transmission time intervals. In the downlink the transmission is interrupted if the number of bits is lower than maximum. When the number of bits between different transmission time intervals in uplink is changed, bits are repeated or punctured to ensure that the total bit rate after TrCH multiplexing is identical to the total channel bit rate of the allocated dedicated physical channels.

If no bits are input to the rate matching for all TrCHs within a CCTrCH , the rate matching shall output no bits for all TrCHs within the CCTrCH and no uplink DPDCH will be selected in the case of uplink rate matching.

## Notation used in subcaluse 4.2.7 and subclauses:

$N_{i j}$ : For uplink: Number of bits in a radio frame before rate matching on $\mathrm{TrCH} i$ with transport format combination $j$.

For downlink: An intermediate calculation variable (not an integer but a multiple of 1/8).
$N_{i l}^{T T I}$ : Number of bits in a transmission time interval before rate matching on $\operatorname{TrCH} i$ with transport format $l$. Used in downlink only.
$\Delta N_{i j}$ : For uplink: If positive - number of bits that should be repeated in each radio frame on $\operatorname{TrCH} i$ with transport format combination $j$.

If negative - number of bits that should be punctured in each radio frame on $\operatorname{TrCH} i$ with transport format combination $j$.

For downlink : An intermediate calculation variable (not an integer but a multiple of $1 / 8$ ).
$\Delta N_{i l}^{T T I}$ : If positive - number of bits to be repeated in each transmission time interval on $\operatorname{TrCH} i$ with transport format $j$.

If negative - number of bits to be punctured in each transmission time interval on $\mathrm{TrCH} i$ with transport format $j$.

Used in downlink only.
 the largest TTI, to create the required gaps in the compressed radio frames of this TTI, in case of compressed mode by puncturing, for $\operatorname{TrCh} \underline{H} i$ with transport format $l$. In case of fixed positions and
 $\mathrm{TrCh} \underline{\mathrm{H}}$ with their maximum number of bits; thus it is the same for all TFCs

Used in downlink only.
$N p_{i, l}^{n} N p^{\mu}{ }_{i, l} \quad n=0$ to $F_{\max }-1$ :Positive or null: number of bits, in radio frame number $n$ within the largest TTI, corresponding to the gap for compressed mode in this radio frame, for $\operatorname{TrCH} i$ with transport format $l$. The value will be null for the un-compressed radio frames not overlapping with a transmission gap. In case of fixed positions and compressed mode by puncturing, this value is noted $N p_{i, \max }^{n} N p^{\mu}{ }_{i, \text { max }}$ since it is calculated for all $\mathrm{TrCh} \underline{H}$ s with their maximum number of bits; thus it is the same for all TFCs Used in downlink only.
$N_{T G L}[k], k=0$ to $F_{i}-1:$ Positive or null: number of bits in each radio frame corresponding to the gap for compressed mode for the $\mathrm{CCTrCh} \underline{H}$.
$R M_{i}$ : Semi-static rate matching attribute for transport channel $i$. Signalled from higher layers.

PL: Puncturing limit for uplink. This value limits the amount of puncturing that can be applied in order to avoid multicode or to enable the use of a higher spreading factor. Signalled from higher layers.
$N_{\text {data, } j}$ : $\quad$ Total number of bits that are available for the CCTrCH in a radio frame with transport format combination $j$.

I: $\quad$ Number of TrCHs in the CCTrCH .
$Z_{i j}: \quad$ Intermediate calculation variable.
$F_{i}: \quad$ Number of radio frames in the transmission time interval of $\operatorname{TrCH} i$.
$F_{\max } \quad$ Maximum number of radio frames in a transmission time interval used in the CCTrCH :

$$
F_{\max }=\max _{1 \leq i \leq I} F_{i}
$$

$n_{i}: \quad$ Radio frame number in the transmission time interval of $\operatorname{TrCH} i\left(0 \leq n_{i}<F_{i}\right)$.
q: $\quad$ Average puncturing or repetition distance (normalised to only show the remaining rate matching on top of an integer number of repetitions). Used in uplink only.
$t_{F} \mathrm{P}_{F}\left(n_{i}\right)$ : The inverse interleaving column permutation function of the $1^{\text {st }}$ interleaver, $\mathrm{Pl}_{F}(\mathrm{x})$ is the original position of column x after permutation. P 1 is defined on table 3 of section 4.2.5.2 (note that the $\underline{\mathrm{P}} 1_{\underline{\mathrm{Finverse}}}$ interleaving function is identical to the interleaving function itself for the $4^{\text {st }}$ interleaver). is self-inverse). For rate matching, Uused in uplink only.
$S\left(n_{i}\right): \quad$ The shift of the puncturing or repetition pattern for radio frame $n_{i}$. Used in uplink only.
$T F_{i}(j)$ : $\quad$ Transport format of $\operatorname{TrCH} i$ for the transport format combination $j$.
$T F S(i) \quad$ The set of transport format indexes $l$ for $\operatorname{TrCH} i$.
TFCS The set of transport format combination indexes $j$.
$e_{i n i} \quad$ Initial value of variable $e$ in the rate matching pattern determination algorithm of subclause 4.2.7.5.
$\mathrm{e}_{\text {plus }} \quad$ Increment of variable $e$ in the rate matching pattern determination algorithm of subclause 4.2.7.5.
$\mathrm{e}_{\text {minus }} \quad$ Decrement of variable $e$ in the rate matching pattern determination algorithm of subclause 4.2.7.5.
$b: \quad$ Indicates systematic and parity bits
$b=1$ : Systematic bit. $X(t)$ in subclause 4.2.3.2.1.
$b=2: 1^{\text {st }}$ parity bit (from the upper Turbo constituent encoder). $Y(t)$ in subcaluse 4.2.3.2.1.
$b=3: 2^{\text {nd }}$ parity bit (from the lower Turbo constituent encoder). $Y^{\prime}(t)$ in subclause 4.2.3.2.1.
The * (star) notation is used to replace an index $x$ when the indexed variable $X_{x}$ does not depend on the index $x$. In the left wing of an assignment the meaning is that " $X_{*}=Y$ " is equivalent to "for all $\underline{x}$ do $X_{x}=Y$ ". In the right wing of an assignment, the meaning is that " $Y=X_{*}$ " is equivalent to "take any $\underline{x}$ and do $Y=X_{x}$ ".

The following relations, defined for all $\mathrm{TFC} j$, are used when calculating the rate matching parameters:

$$
Z_{0, j}=0
$$

$$
\begin{equation*}
Z_{i j}=\left\{\frac{\left\{\left(\sum_{m=1}^{i} R M_{m} \cdot N_{m j}\right) \cdot N_{\text {data, }, j}\right\}}{\sum_{m=1}^{I} R M_{m} \cdot N_{m j}}\right\} \text { for all } i=1 \text {.. I } \tag{1}
\end{equation*}
$$

$$
\Delta N_{i j}=Z_{i j}-Z_{i-1, j}-N_{i j} \quad \text { for all } i=1 \ldots \mathrm{I}
$$

### 4.2.7.1 Determination of rate matching parameters in uplink

### 4.2.7.1.1 Determination of SF and number of PhCHs needed

In uplink, puncturing can be applied to match the CCTrCH bit rate to the PhCH bit rate. The bit rate of the $\mathrm{PhCH}(\mathrm{s})$ is limited by the UE capability and restrictions imposed by UTRAN, through limitations on the PhCH spreading factor. The maximum amount of puncturing that can be applied is signalled from higher layers and denoted by $P L$. The number of available bits in the radio frames of one PhCH for all possible spreading factors is given in [2]. Denote these values by $N_{256}, N_{128}, N_{64}, N_{32}, N_{16}, N_{8}$, and $N_{4}$, where the index refers to the spreading factor. The possible number of bits available to the CCTrCH on all $\mathrm{PhCHs}, N_{\text {data }}$, then are $\left\{N_{256}, N_{128}, N_{64}, N_{32}, N_{16}, N_{8}, N_{4}, 2 N_{4}, 3 N_{4}, 4 N_{4}, 5 N_{4}, 6 N_{4}\right\}$. Depending on the UE capability and the restrictions from UTRAN, the allowed set of $N_{\text {data }}$, denoted SET0, can be a subset of \{ $\left.N_{256}, N_{128}, N_{64}, N_{32}, N_{16}, N_{8}, N_{4}, 2 N_{4}, 3 N_{4}, 4 N_{4}, 5 N_{4}, 6 N_{4}\right\}$. $N_{\text {data, } j}$ for the transport format combination $j$ is determined by executing the following algorithm:

SET1 $=\left\{N_{\text {data }}\right.$ in SET0 such that $\min _{1 \leq y \leq I}\left\{R M_{y}\right\} \cdot N_{\text {data }}-\sum_{x=1}^{I} R M x \cdot N_{x, j}$ is non negative $\}$
If SET1 is not empty and the smallest element of SET1 requires just one PhCH then

$$
N_{\text {data }, j}=\min \mathrm{SET} 1
$$

else

$$
\text { SET2 }=\left\{N_{\text {data }} \text { in SET0 such that } \min _{1 \leq y \leq I}\left\{R M_{y}\right\} \cdot N_{\text {data }}-P L \cdot \sum_{x=1}^{I} R M x \cdot N_{x, j} \text { is non negative }\right\}
$$

Sort SET2 in ascending order

$$
N_{\text {data }}=\min \mathrm{SET} 2
$$

While $N_{\text {data }}$ is not the max of SET2 and the follower of $N_{\text {data }}$ requires no additional PhCH do

$$
N_{\text {data }}=\text { follower of } N_{\text {data }} \text { in SET2 }
$$

End while

$$
\mathrm{N}_{\mathrm{data}, \mathrm{j}}=\mathrm{N}_{\mathrm{data}}
$$

## End if

### 4.2.7.1.2 Determination of parameters needed for calculating the rate matching pattern

The number of bits to be repeated or punctured, $\Delta N_{i j}$, within one radio frame for each $\operatorname{TrCH} i$ is calculated with equation 1 for all possible transport format combinations $j$ and selected every radio frame. $N_{\text {data }, j}$ is given from subclause 4.2.7.1.1.

In compressed mode $N_{\text {data, } j}$ is replaced by $N_{d a t a, j}^{c m}$ in Equation 1. $N_{d a t a, j}^{c m}$ is given as follows:
In compressed mode by higher layer scheduling, $N_{\text {data, } j}^{c m}$ is obtained by executing the algorithm in subclause 4.2.7.1.1 but with the number of bits in one radio frame of one PhCH reduced to $\frac{N_{t r}}{15}$ of the value in normal mode.
$N_{t r}$ is the number of transmitted slots in a compressed radio frame and is defined by the following relation:
$N_{t r}=\left\{\begin{array}{l}15-T G L, \text { if } N_{\text {first }}+T G L \leq 15 \\ N_{\text {first }}, \text { in first frame if } N_{\text {first }}+T G L>15 \\ 30-T G L-N_{\text {first }}, \text { in second frame if } N_{\text {first }}+T G L>15\end{array}\right.$
$N_{\text {first }}$ and $T G L$ are defined in subclause 4.4.
In compressed mode by spreading factor reduction, $N_{d a t a, j}^{c m}=2 N_{d a t a, j}-2 N_{T G L}$, where $N_{T G L}=\frac{15-N_{t r}}{15} N_{d a t a, j}$
If $\Delta N_{i j}=0$ then the output data of the rate matching is the same as the input data and the rate matching algorithm of subclause 4.2.7.5 does not need to be executed.

If $\Delta N_{i j} \neq 0$ the parameters listed in subclauses 4.2.7.1.2.1 and 4.2.7.1.2.2 shall be used for determining $e_{i n i}, e_{p l u s}$, and $e_{\text {minus }}$ (regardless if the radio frame is compressed or not).

### 4.2.7.1.2.1 Uncoded and convolutionally encoded TrCHs

$R=\Delta N_{i j} \bmod N_{i j}--$ note: in this context $\Delta N_{i j} \bmod N_{i j}$ is in the range of 0 to $N_{i j}-1$ i.e. $-1 \bmod 10=9$.
if $R \neq 0$ and $2 R \leq N_{i j}$ then $\mathrm{q}=\left\lceil\mathrm{N}_{\mathrm{ij}} / \mathrm{R}\right\rceil$
else

$$
\mathrm{q}=\left\lceil\mathrm{N}_{\mathrm{ij}} /\left(\mathrm{R}-\mathrm{N}_{\mathrm{ij}}\right)\right\rceil
$$

endif
-- note: $q$ is a signed quantity.
if $q$ is even

$$
\text { then } \mathrm{q}^{\prime}=\mathrm{q}+\operatorname{gcd}\left(|\mathrm{q}|, \mathrm{F}_{\mathrm{i}}\right) / \mathrm{F}_{\mathrm{i}}-- \text { where } \mathrm{gcd}\left(|\mathrm{q}|, \mathrm{F}_{\mathrm{i}}\right) \text { means greatest common divisor of }|\mathrm{q}| \text { and } \mathrm{F}_{\mathrm{i}}
$$

-- note that $q^{\prime}$ is not an integer, but a multiple of $1 / 8$
else

$$
\mathrm{q}^{\prime}=\mathrm{q}
$$

endif
for $\mathrm{x}=0$ to $\underline{F}_{i-} \mathrm{F}_{\mathrm{i}}-1$

$$
\left.\mathrm{S}\left(\mathrm{I}_{\mathrm{F}}-\left(\mid \mathrm{x}^{*} \mathrm{q}^{\prime}\right\rfloor \mid \bmod \underline{F}_{i} \mathrm{~F}_{\mathrm{i}}\right)\right)=\left(\left|\left\lfloor\mathrm{x}^{*} \mathrm{q}^{\prime}\right\rfloor\right| \operatorname{div} \underline{F}_{i} \mathrm{~F}_{\mathrm{i}}\right)
$$

end for
$\Delta \mathrm{N}_{\mathrm{i}}=\Delta \mathrm{N}_{\mathrm{i}, \mathrm{j}}$
$\mathrm{a}=2$
For each radio frame, the rate-matching pattern is calculated with the algorithm in subclause 4.2.7.5, where :

$$
\begin{aligned}
& \mathrm{X}_{\mathrm{i}}=\mathrm{N}_{\mathrm{i}, \mathrm{j}}, \text { and } \\
& \mathrm{e}_{\mathrm{ini}}=\left(\mathrm{a} \cdot \mathrm{~S}\left(\left[\mathrm{PP} 1_{\underline{E i}}\left(\mathrm{n}_{\mathrm{i}}\right)\right)\right] \cdot\left|\Delta \mathrm{N}_{\mathrm{i}}\right|+1\right) \bmod \left(\mathrm{a} \cdot \mathrm{~N}_{\mathrm{ij}}\right) . \\
& \mathrm{e}_{\mathrm{plus}}=\mathrm{a} \cdot \mathrm{~N}_{\mathrm{ij}} \\
& \mathrm{e}_{\text {minus }}=\mathrm{a} \cdot\left|\Delta \mathrm{~N}_{\mathrm{i}}\right|
\end{aligned}
$$

puncturing for $\Delta N<0$, repetition otherwise.

### 4.2.7.1.2.2 <br> Turbo encoded TrCHs

If repetition is to be performed on turbo encoded $\operatorname{TrCHs}$, i.e. $\Delta N_{i, j}>0$, the parameters in subclause 4.2.7.1.2.1 are used. If puncturing is to be performed, the parameters below shall be used. Index $b$ is used to indicate systematic $(b=1)$, $1^{\text {st }}$ parity $(b=2)$, and $2^{\text {nd }}$ parity bit $(b=3)$.
$a=2$ when $b=2$
$a=1$ when $b=3$

$$
\Delta N_{i}= \begin{cases}\left\lfloor\Delta N_{i, j} / 2\right\rfloor, & b=2 \\ \left\lfloor\Delta N_{i, j} / 2\right\rceil, & b=3\end{cases}
$$

If $\Delta N_{i}$ is calculated as 0 for $b=2$ or $b=3$, then the following procedure and the rate matching algorithm of subclause 4.2.7.5 don't need to be performed for the corresponding parity bit stream.

$$
\begin{aligned}
& \mathrm{X}_{\mathrm{i}}=\left\lfloor\mathrm{N}_{\mathrm{i}, \mathrm{j}} / 3\right\rfloor, \\
& \mathrm{q}=\left\lfloor\mathrm{X}_{\mathrm{i}} /\left|\Delta \mathrm{N}_{\mathrm{i}}\right|\right\rfloor
\end{aligned}
$$

if $(\mathrm{q} \leq 2)$

$$
\text { for } x=0 \text { to } F_{i}-1
$$

$$
\mathrm{S}\left[\mathrm{I}_{\mathrm{F}} \mathrm{~F}(3 \mathrm{x}+\mathrm{b}-1) \bmod \underline{F}_{\underline{i}} \mathrm{~F}_{\mathrm{i}} \mathrm{f}\right]=\mathrm{x} \bmod 2
$$

end for
else
if $q$ is even
then $q^{\prime}=q-\operatorname{gcd}\left(q, F_{i}\right) / F_{i}-$-- where $\operatorname{gcd}\left(q, F_{i}\right)$ means greatest common divisor of $q$ and $F_{i}$
-- note that $q^{\prime}$ is not an integer, but a multiple of $1 / 8$
else $\quad q^{\prime}=q$
endif
for $x=0$ to $F_{i}-1$
$\mathrm{r}=\left\lceil\mathrm{x} * \mathrm{q}^{\prime}\right\rceil \bmod \mathrm{F}_{\mathrm{i}} \underline{F}_{i} ;$
$\left.\mathrm{S}\left[\mathrm{I}_{\mathrm{F}} \mathrm{F}(3 \mathrm{r}+\mathrm{b}-1) \bmod \mathrm{F}_{i} \underline{F}_{i}\right]\right]=\left\lceil\mathrm{x}^{*} \mathrm{q}^{\prime}\right\rceil \operatorname{div} \mathrm{F}_{i} \underline{F}_{i}$,
endfor
endif
For each radio frame, the rate-matching pattern is calculated with the algorithm in subclause 4.2.7.5, where:
$X_{i}$ is as above:

$$
\begin{aligned}
& \mathrm{e}_{\mathrm{ini}}=\left(\mathrm{a} \cdot \mathrm{~S}\left[\left(\underline{\mathrm{P} 1_{\underline{F i}}}\left(\mathrm{n}_{\mathrm{i}}\right)\right)\right] \cdot\left|\Delta \mathrm{N}_{\mathrm{i}}\right|+\mathrm{X}_{\mathrm{i}}\right) \bmod \left(\mathrm{a} \cdot \mathrm{X}_{\mathrm{i}}\right), \text { if } \mathrm{e}_{\mathrm{ini}}=0 \text { then } \mathrm{e}_{\mathrm{ini}}=\mathrm{a} \cdot \mathrm{X}_{\mathrm{i}} . \\
& \mathrm{e}_{\mathrm{plus}}=\mathrm{a} \cdot \mathrm{X}_{\mathrm{i}} \\
& \mathrm{e}_{\text {minus }}=\mathrm{a} \cdot\left|\Delta \mathrm{~N}_{\mathrm{i}}\right|
\end{aligned}
$$

### 4.2.7.2 Determination of rate matching parameters in downlink

For downlink $N_{\text {data, } j}$ does not depend on the transport format combination $j . N_{\text {data, }}$ is given by the channelization code(s) assigned by higher layers. Denote the number of physical channels used for the CCTrCH by $P . N_{\text {data }, *}$ is the number of bits available to the CCTrCH in one radio frame and defined as $N_{\text {data }, *}=P\left(15 N_{\text {data } 1}+15 N_{\text {data } 2}\right)$, where $N_{\text {datal }}$ and $N_{\text {data } 2}$ are defined in [2]. Note that contrary to the uplink, the same rate matching patterns are used in normal and compressed mode by spreading factor reduction or higher layer scheduling.

In the following, the total amount of puncturing or repetition for the TTI is calculated.
Additional calculations for compressed mode by puncturing in case of fixed positions are performed to determine this total amount of rate matching needed.

For compressed mode by puncturing, in TTIs where some compressed radio frames occur, the puncturing is increased or the repetition is decreased compared to what is calculated according to the rate matching parameters provided by higher layers. This allows to create room for later insertion of marked bits, noted p-bits, which will identify the positions of the gaps in the compressed radio frames.

The amount of additional puncturing corresponds to the number of bits to create the gap in the TTI for $\mathrm{TrCh}_{\mathrm{i}}$. In case of fixed positions, it is calculated in addition to the amount of rate matching indicated by higher layers. It is noted $N p^{T T I, m}{ }_{i, \max }$.

In fixed positions case, to obtain the total rate matching $\Delta N_{i, \text { max }}^{T T I, m, m}$ to be performed on the TTI $m, N p^{T T I, m}{ }_{i, m a x}$ is sub-stracted from $\Delta N^{T T I, m} i_{\text {max }}$ (calculated based on higher layers RM parameters as for normal rate matching). This allows to create room for the $N p^{T T I, m}{ }_{i, \max }$ bits p to be inserted later. If the result is null, i.e. the amount of repetition matches exactly the amount of additional puncturing needed, then no rate matching is necessary.

In case of compressed mode by puncturing and fixed positions, for some calculations, $N_{\text {data,* }}^{\prime}$ is used for radio frames with gap instead of $N_{\text {data,* }}$, where $N_{\text {data,* }}^{\prime}=P\left(15 N_{d a t a 1}^{\prime}+15 N_{d a t a 2}^{\prime}\right) . N_{d a t a 1}^{\prime}$ and $N_{d a t a 2}^{\prime}$ are the number of bits in the data fields of the slot format used for the current compressed mode, i.e. slot format A or B as defined in [2] corresponding to the Spreading Factor and the number of transmitted slots in use.

The number of bits corresponding to the gap for TrCh i, in each radio frame of its TTI is calculated using the number of bits to remove on each Physical Channel $\mathrm{N}_{\text {TGL }}[\mathrm{k}]$, where k is the radio frame number in the TTI.

For each radio frame k of the TTI, $\mathrm{N}_{\text {TGL }}[\mathrm{k}]$ is given by the relation:
$N_{T G L}=\left\{\begin{array}{l}\frac{T G L}{15} N_{\text {data, }}^{\prime}, \text { if } N_{\text {first }}+T G L \leq 15 \\ \frac{15-N_{\text {first }}}{15} N_{\text {data, }}^{\prime}, \text { in first radio frame of the gap if } N_{\text {first }}+T G L>15 \\ \frac{T G L-\left(15-N_{\text {first }}\right)}{15} N_{\text {data, }}^{\prime}, \text { in second radio frame of the gap if } N_{\text {first }}+T G L>15\end{array}\right.$
$N_{\text {first }}$ and $T G L$ are defined in subclause 4.4.
Note that $\mathrm{N}_{\text {TGL }}[\mathrm{k}]=0$ if radio frame k is not compressed.

### 4.2.7.2.1 Determination of rate matching parameters for fixed positions of TrCHs

### 4.2.7.2.1.1 Calculation of $\Delta N_{\max }$ for normal mode and compressed mode by higher layer scheduling and spreading factor reduction

First an intermediate calculation variable $N_{i, *}$ is calculated for all transport channels $i$ by the following formula:

$$
N_{i, *}=\frac{1}{F_{i}} \cdot \max _{l \in T F S}(i)<N_{i, l}^{T T I}
$$

In order to compute The computation of the $\Delta N_{i, l}^{T T I}$ parameters is then performed in for all $\operatorname{TrCH} i$ and all $\operatorname{TF} l$, we first compute an intermediate parameter $\Delta N_{\max }$ by the following formula, where $\Delta N_{i, *}$ is derived from $N_{i, *}$ by the formula given at subclause 4.2.7:

$$
\Delta N_{\max }=F_{i} \cdot \Delta N_{i, *}
$$

If $\Delta N_{\max }=0$ then, for $\operatorname{TrCH} i$, the output data of the rate matching is the same as the input data and the rate matching algorithm of subclause 4.2.7.5 does not need to be executed. In this case we have :

$$
\forall l \in T F S(i) \Delta N_{i, l}^{T T I}=0
$$

If $\Delta N_{\text {max }} \neq 0$ the parameters listed in subclauses 4.2.7.2.1.3 and 4.2.7.2.1.4 shall be used for determining $e_{i n i}, e_{p l u s}$, and $e_{\text {minus }} \simeq$ and $\Delta N_{i, l}^{T T I}$.

### 4.2.7.2.1.2 Calculations for compressed mode by puncturing

Calculations of $\Delta N_{i, \text { max }}^{T T I, m} \Delta N^{T T I, \ldots}{ }_{-\bar{i} \bar{j} \text { max, }}$ for all TTI $m$ within largest TTI, for all $\operatorname{TrCh} \underline{H} i$
First an intermediate calculation variable $N_{i, *} \mathrm{~A}_{-\bar{i}_{i, *}}^{\mu}$ is calculated for all transport channels $i$ and all frames $n$ in TTI $m$ within the largest TTI, using the same formula as for normal mode above by replacing $N_{i, l}^{T T I} \mathrm{~A}^{T T I}{ }_{-i, l}$ by $N_{i, l}^{T T I, m} \mathrm{~A}^{T T I, m}{ }_{-i, l}$ , the number of bits in TTI $m$.

The computation of the $\Delta N_{i, \text { max }}^{T T 1, m} \Delta N^{T 71, \ldots}$-i,max parameters is then performed for all $\mathrm{TrCH} i$ by the following formula,
 given at subclause 4.2.7 using $N_{\text {data, }, \text {, }}$ for the non compressed frames of TTI $m$ and using $N_{\text {data, }}^{\prime}$ instead of $N_{\text {data,** }}$, for the compressed frames of TTI $m$.

Let $N p_{i, \text { max }}^{T T I, m} \mathrm{~Np}^{\mu}{ }^{\mu}{ }_{i \text { max }}$, be the number of bits to eliminate on $\mathrm{TrCh} \underline{\mathrm{H}} i$ to create the gap for compressed mode, in each radio frame k of the TTI, calculated for the Transport Format Combination of $\operatorname{TrCh} \underline{H} i$, in which the number of bits of $\operatorname{TrCh} \underline{H} i$ is at its maximum.
$N p_{i, \text { max }}^{n} N p^{\#}{ }_{i, \text { max }}$ is calculated for each radio frame k of the TTI in the following way.
Intermediate variables $Z_{i}$ for $i=1$ to $I$ are calculated using the formula (1) in 4.2.7, by replacing $N$-data,j by $N_{T G L}[k]$.
Then $N p_{i, \text { max }}^{n} N p{ }^{\#}{ }_{i, \text { max }}=\left(Z_{i}-Z_{i-1}\right)$ for $i=1$ to $I$

The total number of bits $N p_{i, \text { max }}^{T T I, m} \mathrm{~Np}^{T T l, m_{i, \text { max }}}$ corresponding to the gaps for compressed mode for $\mathrm{TrCh} \underline{\mathrm{H}} \mathrm{i}$ in the TTI is calculated as:
$N p_{i, \max }^{T T I, m}=\sum_{n=0}^{n=F_{i}-1} N p_{i, \max }^{n}$

If $\Delta N_{\max }=N p_{i, \max }^{T T I, m} \mathrm{~Np}^{T T I, m}{ }_{i, \text { maxt }}$, then, for $\operatorname{TrCH} i$, the output data of the rate matching is the same as the input data and the rate matching algorithm of subclause 4.2.7.5 does not need to be executed. If $\Delta N_{\max } \neq N p_{i, \max }^{T T I, m} \mathrm{Ap}^{T T 1, m_{i, \ldots m a x}}$, then,
for $\operatorname{TrCH} i$, the rate matching algorithm of subclause 4.2.7.5 needs to be executed-with an amount $\Delta N_{i, \max }^{T T I, c m, m}$ of rate matching given by the following formula:
$\Delta N_{i, \max }^{T T I, c m, m}=\Delta N_{i, \max }^{T T T, m} \Delta N^{T T I, m} i_{, \text {max }}-N p_{i, \text { max }}^{T T I, m} N p^{T T L, m}{ }_{i, \text { max }}$

### 4.2.9.2 $\quad 2^{\text {nd }}$ insertion of DTX indication bits

The DTX indication bits inserted in this step shall be placed at the end of the radio frame. Note that the DTX will be distributed over all slots after $2^{\text {nd }}$ interleaving.

The bits input to the DTX insertion block are denoted by $s_{1}, s_{2}, s_{3}, \ldots, s_{S}$, where $S$ is the number of bits from $\operatorname{TrCH}$ multiplexing. The number of PhCHs is denoted by $P$ and the number of bits in one radio frame, including DTX indication bits, for each PhCH by $R$..

In normal mode $R=\frac{N_{\text {data,* }}}{P}=15 N_{\text {data1 }}+15 N_{\text {data } 2}$, where $N_{\text {data1 }}$ and $N_{\text {data } 2}$ are defined in [2].
For compressed mode, $N_{d a t a, *}^{\prime}$ is defined as $N_{\text {data,* }}^{\prime}=P\left(15 N_{d a t a 1}^{\prime}+15 N_{d a t a 2}^{\prime}\right) . N_{d a t a 1}^{\prime}$ and $N_{\text {data2 }}^{\prime}$ are the number of bits in the data fields of the slot format used for the current compressed mode, i.e. slot format A or B as defined in [2] corresponding to the Spreading Factor and the number of transmitted slots in use.

In case of compressed mode by puncturing and fixed positions, DTX shall be inserted until $N_{\text {data, }}{ }^{\prime}$, bits, since the exact room for the gap is already reserved thanks to the earlier insertion of the p-bits. Therefore R is defined as $R=N_{\text {data, }}{ }^{*} /$ $P$.

In compressed mode by SF reduction and by higher layer scheduling, additional DTX shall be inserted if the transmission time reduction method does not exactly create a transmission gap of the desired TGL. The number of bits available to the CCTrCH in one radio frame in compressed mode by SF reduction and by higher layer scheduling is denoted by $N_{\text {data,* }}^{c m}$ and $R=\frac{N_{\text {data,* }}^{c m}}{P}$. The exact value of $N_{\text {data,* }}^{c m}$ is dependent on the $T G L$ and the transmission time reduction method, which are signalled from higher layers. For transmission time reduction by $\mathrm{SF} / 2$ method in compressed mode $N_{d a t a, *}^{c m}=\frac{N_{\text {data,** }}^{\prime}}{2}$, and for other methods it can be calculated as $N_{d a t a, *}^{c m}=N_{d a t a,{ }^{*}}^{\prime}-N_{T G L}$. For every transmission time reduction method $N_{d a t a, *}^{\prime}=P\left(15 N_{d a t a 1}^{\prime}+15 N_{d a t a 2}^{\prime}\right)$, where $N_{d a t a 1}^{\prime}$ and $N_{d a t a 2}^{\prime}$ are the number of bits in the data fields of a slot for slot format A or B as defined in [2]. $N_{T G L}$ is the number of bits that are located within the transmission gap and defined as:
$N_{T G L}=\left\{\begin{array}{l}\frac{T G L}{15} N_{\text {data,* }}^{\prime}, \text { if } N_{\text {first }}+T G L \leq 15 \\ \frac{15-N_{\text {first }}}{15} N_{\text {data,* }}^{\prime}, \text { in first frame if } N_{\text {first }}+T G L>15 \\ \frac{T G L-\left(15-N_{\text {first }}\right)}{15} N_{\text {data,*, }}^{\prime}, \text { in second frame if } N_{\text {first }}+T G L>15\end{array}\right.$
$N_{\text {first }}$ and $T G L$ are defined in subclause 4.4.
NOTE : In compressed mode by SF/2 method DTX is also added in physical channel mapping stage (subclause 4.2.12.2). During $2^{\text {nd }}$ DTX insertion the number of CCTrCH bits is kept the same as in normal mode.

The bits output from the DTX insertion block are denoted by $w_{1}, w_{2}, w_{3}, \ldots, w_{(P R)}$. Note that these bits are four valued in case of compressed mode by puncturing, and three valued otherwise. They are defined by the following relations:

$$
\begin{aligned}
& w_{k}=s_{k} \quad \mathrm{k}=1,2,3, \ldots, \mathrm{~S} \\
& w_{k}=\delta \quad \mathrm{k}=\mathrm{S}+1, \mathrm{~S}+2, \mathrm{~S}+3, \ldots, \mathrm{P} \underline{P} \cdot R
\end{aligned}
$$

where DTX indication bits are denoted by $\delta$. Here $S_{\mathrm{k}} \in\{0,1, \mathrm{p}\}$ and $\delta \notin\{0,1\}$.

### 4.2.10 Physical channel segmentation

When more than one PhCH is used, physical channel segmentation divides the bits among the different PhCHs . The bits input to the physical channel segmentation are denoted by $x_{1}, x_{2}, x_{3}, \ldots, x_{X} x_{1}, x_{2}, x_{3}, \ldots, x_{Y}$, where $¥ \underline{X}$ is the number of bits input to the physical channel segmentation block. The number of PhCHs is denoted by $P$.

The bits after physical channel segmentation are denoted $u_{p 1}, u_{p 2}, u_{p 3}, \ldots, u_{p U}$, where $p$ is PhCH number and $U$ is the number of bits in one radio frame for each PhCH , i.e. $U=\left(Y \underline{X}-N_{T G L}\right) / P$ for compressed mode by puncturing, and $U=\frac{X}{P} U=\frac{Y}{P}$ otherwise. The relation between $x_{k}$ and $u_{p k}$ is given below.

For all modes, some bits of the input flow are mapped to each code until the number of bits on the code is $\forall \underline{U}$. For modes other than compressed mode by puncturing, all bits of the input flow are taken to be mapped to the codes. For compressed mode by puncturing, only the bits of the input flow not corresponding to bits p are taken to be mapped to the codes, each bit p is removed to ensure creation the gap required by the compressed mode, as described below.

Bits on first PhCH after physical channel segmentation:

$$
u_{l, k}=x_{i, f(k)} k=1,2, \ldots, U
$$

Bits on second PhCH after physical channel segmentation:

$$
u_{2, k}=x_{i, f(k+U)} k=1,2, \ldots, U
$$

Bits on the $P^{\text {th }} \mathrm{PhCH}$ after physical channel segmentation:

$$
u_{P, k}=x_{i, f(k+(P-1) U)} k=1,2, \ldots, U
$$

where $f$ is such that :

- for modes other than compressed mode by puncturing, $x_{i, f(k)}=x_{i, k}$, i.e. $f(k)=k$, for all k .
- for compressed mode by puncturing, bit $u_{l, l}$ corresponds to the bit $x_{i, k}$ with smallest index $k$ when the bits p are not counted, bit $u_{l, 2}$ corresponds to the bit $x_{i, k}$ with second smallest index $k$ when the bits p are not counted, and so on for bits $u_{l, 3}, \ldots u_{l, V}, u_{2, I}, u_{2,2}, \ldots u_{2, V}, \ldots u_{P, I}, u_{P, 2, \ldots} u_{P, \forall U}$,


### 4.2.11 $2^{\text {nd }}$ interleaving

The $2^{\text {nd }}$ interleaving is a block interleaver with inter-column permutations. The bits input to the $2^{\text {nd }}$ interleaver are denoted $u_{p 1}, u_{p 2}, u_{p 3}, \ldots, u_{p U}$, where $p$ is PhCH number and $U$ is the number of bits in one radio frame for one PhCH .
(1) Set the number of columns $\underline{\mathrm{C} 2} \epsilon_{2}=30$. The columns are numbered $0,1,2, \ldots, \underline{\mathrm{C}} \epsilon_{2}-1$ from left to right.
(2) Determine the number of rows $\underline{R} 2 \boldsymbol{R}_{2}$ by finding minimum integer $\underline{R} 2 \boldsymbol{R}_{2}$ such that:

$$
U \leq \underline{\mathrm{R} 2 \cdot \mathrm{C} 2} \mathrm{R}_{2} \mathrm{C}_{2} .
$$

(3) The bits input to the $2^{\text {nd }}$ interleaving are written into the $\underline{R} 2 \times \underline{C} 2 R_{2}-* C_{2}$ rectangular matrix row by row.
$\left[\begin{array}{ccccc}u_{p 1} & u_{p 2} & u_{p 3} & \ldots & u_{p 30} \\ u_{p 31} & u_{p 32} & u_{p 33} & \ldots & u_{p 60} \\ \vdots & \vdots & \vdots & \ldots & \vdots \\ u_{p,((\mathrm{R} 2-1) 30+1)} & u_{p,((\mathrm{R} 2-1) 30+2)} & u_{p,((\mathrm{R} 2-1) 30+3)} & \ldots & u_{p,(\mathrm{R} 2 \cdot 30)}\end{array}\right]$
$\left[\begin{array}{ccccc}u_{p 1} & u_{p 2} & u_{p 3} & \ldots & u_{p 30} \\ u_{p 31} & u_{p 32} & u_{p 33} & \ldots & u_{p 60} \\ \hline \vdots & \vdots & \vdots & \ldots & \vdots \\ u_{p,\left(\left(R_{2}-1\right) 30+1\right)} & u_{p,\left(\left(R_{2}-1\right) 30+2\right)} & u_{p,\left(\left(R_{2}-1\right) 30+3\right)} & \ldots u_{p,\left(R_{2} 30\right)}\end{array}\right]$
(4) Perform the inter-column permutation based on the pattern $\left\{\underline{\mathrm{P} 2} P_{z}(j)\right\}\left(j=0,1, \ldots, \underline{\mathrm{C}} \epsilon_{2}-1\right)$ that is shown in table 6 , where $\underline{\mathrm{P} 2} P_{z}(j)$ is the original column position of the $j$-th permuted column. After permutation of the columns, the bits are denoted by $y_{p k}$.

$$
\left[\begin{array}{ccccc}
y_{p, 1} & y_{p,(\mathrm{R} 2+1)} & y_{p,(2 \cdot \mathrm{R} 2+1)} & \ldots y_{p,(29 \cdot \mathrm{R} 2+1)} \\
y_{p, 2} & y_{p,(\mathrm{R} 2+2)} & y_{p,(2 \cdot \mathrm{R} 2+2)} & \ldots & y_{p,(29 \cdot \mathrm{R} 2+2)} \\
\vdots & \vdots & \vdots & \ldots & \vdots \\
y_{p, \mathrm{R} 2} & y_{p,(2 \cdot \mathrm{R} 2)} & y_{p,(3 \cdot \mathrm{R} 2)} & \ldots & y_{p,(30 \cdot \mathrm{R} 2)}
\end{array}\right]\left[\begin{array}{cccc}
y_{p 1} & y_{p,\left(R_{2}+1\right)} & y_{p,\left(2 R_{2}+1\right)} & \ldots y_{p,\left(29 R_{2}+1\right)} \\
y_{p 2} & y_{p,\left(R_{2}+2\right)} & y_{p,\left(2 R_{2}+2\right)} & \ldots y_{p,\left(29 R_{2}+2\right)} \\
\vdots & \vdots & \vdots & \ldots \\
\vdots \\
y_{p R_{2}} & y_{p,\left(2 R_{2}\right)} & y_{p,\left(3 R_{2}\right)} & \ldots \\
y_{p,\left(30 R_{2}\right)}
\end{array}\right]
$$

(5) The output of the $2^{\text {nd }}$ interleaving is the bit sequence read out column by column from the inter-column permuted $\underline{\mathrm{R} 2} \times \underline{\mathrm{C} 2} R_{2}-* C_{2}$ matrix. The output is pruned by deleting bits that were not present in the input bit sequence,
i.e. bits $y_{p k}$ that corresponds to bits $u_{p k}$ with $k>U$ are removed from the output. The bits after $2^{\text {nd }}$ interleaving are denoted by $v_{p 1}, v_{p 2}, \ldots, v_{p U}$, where $v_{p 1}$ corresponds to the bit $y_{p k}$ with smallest index $k$ after pruning, $v_{p 2}$ to the bit $y_{p k}$ with second smallest index $k$ after pruning, and so on.

Table 6

| Number of column $\mathbf{C}_{\mathbf{2}} \mathbf{C 2}$ | Inter-column permutation pattern <br> $\mathbf{( P 2 ( 0 )}, \mathbf{P 2}(\mathbf{1}), \ldots, \mathbf{P 2} \mathbf{2 9}))$ |
| :---: | :---: |
| 30 | $\{(0,20,10,5,15,25,3,13,23,8,18,28,1,11,21$, |
|  | $6,16,26,4,14,24,19,9,29,12,2,7,22,27,17)\}$ |

