## Agenda Item:

## Source: NTT DoCoMo and Nortel Networks

Title: $\quad$ Updated text for Turbo code internal interleaver of 25.212, 25.222

## Document for: Decision

This document proposes an updated text for the Turbo code internal interleaver of documents S1.12 and S1.22. In this update, the editorial changes are made to eliminate the possibility of misinterpretation and to provide more accurate specification. The following text is an updated version of TSGR1\#4(99)471 and the revision marks indicate the part of the modifications from TSGR1\#4(99)471.

### 4.2.2.2.2 Turbo code internal interleaver

<Editor's note: The following is a working assumption of Ad Hoc 5>
Figure 4-xx depicts the overall 8 State PCCC Turbo coding scheme including Turbo code internal interleaver. The Turbo code internal interleaver consists of mother interleaver generation and pruning. For arbitrary given block length K, one mother interleaver is selected from the 224207 mother interleavers set. The generation scheme of mother interleavre is described in section 4.2.2.2.2.1. After the mother interleaver generation, $l$-bits are pruned in order to adjust the mother interleaver to the block length K . The definition of $l$ is shown in section 4.2.2.2.2.2. Figure $4-\mathrm{xx}$.

(1) $K=481$ to 530 bit.
$\mathrm{K}+l=0(\bmod 10) ;$
$\mathrm{p}-1<(\mathrm{K}+l) / 10<\mathrm{p}+2$
(2) $K=320$ to 8192 bit excluding 481 to 530.
$\mathrm{K}+l=0(\bmod 20) ;$
$\mathrm{p}-2<(\mathrm{K}+l) / 20<\mathrm{p}+2$

## where $p$ is a prime number.

Figure 4-xx. Overall 8 State PCCC Turbo Coding

### 4.2.2.2.2.1 Mother interleaver generation

The interleaving consists of three stages. In first stage, the input sequence is written into the rectangular matrix row by row. The second stage is intra-row permutation. The third stage is inter-row permutation. The three-stage permutations are described as follows, the input block length is assumed to be K ( 320 to 8192 bits).

## First Stage:

(1) Determine a row number R such that
$\mathrm{R}=10$ ( $\mathrm{K}=481$ to 530 bits; Case-1)
$\mathrm{R}=20$ ( $\mathrm{K}=$ any other block length except 481 to 530 bits; Case-2)
(2) Determine a column number C such that

Case-1; $\mathbf{C}=53 \underline{C}=p=53$
Csae-2;
(i) Find minimum prime $p$ such that,

$$
0 \equiv<(p+1)-\mathrm{K} / \mathbf{R}_{.} .
$$

(ii) If $(0 \equiv<p-K / R)$ then go to (iii), else $\mathrm{C}=p+1$.
(iii) If $(0 \equiv<p-1-\mathrm{K} / \mathrm{R})$ then $\mathrm{C}=p-1-$, else $\mathrm{C}=p$.
(3) The input sequence of the interleaver is written into the $\mathrm{R} \times \mathrm{C}$ rectangular matrix row by row.

## Second Stage:

A. If $\mathrm{C}=p$
(1)(A-1) Select a primitive root $g_{0}$ from Table 4-yy.
$(2)$ (A-2) PerformConstruct the base sequence $\mathrm{c}(\mathrm{i})$ forfirst ( 0 -th) intra-row permutation as: $c(i)=\left[g_{0} \times c(i-1)\right] \bmod p, \quad i=1,2, \ldots,(p \in-2) ., c(0)=1$, and $c(\mathrm{C}-1)=0$,
where $c(i)$ is the input bit position of $i$-th output after the permutation.
(3) (A-3) Select the minimum prime integer set $\left\{q p_{j}\right\}(j=1,2, \ldots \mathrm{R}-1)$ such that g.c.d $\left\{q p_{j}, p-1\right\}=1$
$q p_{j}>6$
$q p_{j}>q p_{(j-1)}$
where g.c.d. is greatest common divider. And $q_{0}=1$.
(A-4) The set $\left\{q_{j}\right\}$ is permuted to make a new set $\left\{p_{i}\right\}$ such that
$p_{\mathrm{P}(j)}=q_{i}, j=0,1, \ldots \mathrm{R}-1$,
where $\mathrm{P}(j)$ is the inter-row permutation pattern defined in the third stage.
(4)(A-5) Perform the $j$-th $(j=\underline{0}, 1,2, \ldots, \underline{\mathrm{R} \in-1) \text { intra-row permutation as: }}$ $c_{j}(i)=c\left(\left[i \times p_{j}\right] \bmod (p-1)\right), \quad i=\underline{0}, 1,2, \ldots,(p \mathrm{C}-2) ., \epsilon_{f}(0)=1$, and $c_{j}(\mathrm{C} \underline{-}-1)=0$,
where $c_{j}(i)$ is the input bit position of $i$-th output after the permutation of $j$-th row.

## B. If $\mathrm{C}=p+1$

(1)(B-1) Same as case A-1.
(2)(B-2) Same as case A-2.Perform the first ( $0-\mathrm{th}$ ) intra-row permutation as:
$c(i)=\left[g_{0} \times c(i-1)\right]$ mod $p, \quad i=1,2, \ldots,(C-2), c(0)=1, c(C-1)=0$, and $c(C)=p$,
where $c(i)$ is the input bit position of $i$-th output after the permutation.
(3)(B-3) Same as case A-3.
(B-4) Same as case A-4.
(4) $\underline{(\mathrm{B}-5)}$ Perform the $j$-th $(j=\underline{0}, 1,2, \ldots, \underline{\mathrm{R} C-1})$ intra-row permutation as: $c_{j}(i)=c\left(\left[i \times p_{j}\right] \bmod (p-1)\right), \quad i=\underline{0} 1,2, \ldots,(\in \underline{-2}) ., \epsilon_{f}(0)=1, c_{j}(\in p-1)=0$, and $c_{j}(\in \underline{p})=p$, where $c_{j}(i)$ is the input bit position of $i$-th output after the permutation of $j$-th row.

## C. If $\mathrm{C}=p-1$

$(1)(\mathrm{C}-1)$ Same as case A-1.
$(2)(\mathrm{C}-2)$ Same as case A-2.Perform the first ( 0 th) intra row permutation as:
$c(i)=\left[g_{0} \times c(i-1)\right] \bmod p, \quad i=1,2, \ldots,(\mathrm{C}-2)$., and $c(0)=1$, where $c(i)$ is the input bit position of $i$ - th output after the permutation.
(3)(C-3) Same as case A-3.
(C-4) Same as case A-4.
(4) $\underline{(\mathrm{C}-5)}$ Perform the $j$-th $(j=\underline{0}, 1,2, \ldots, \underline{\mathrm{RC}}-1)$ intra-row permutation as:
$c_{j}(i)=c\left(\left[i \times p_{j}\right] \bmod (p-1)\right)-1, \quad i=\underline{0} 1,2, \ldots,(\in p-2)$, and $\epsilon_{f}(0)=1$,
where $c_{j}(i)$ is the input bit position of $i$-th output after the permutation of $j$-th row.

## Third Stage:

(1) Perform the inter-row permutation based on the following $\mathrm{P}(j)(j=0,1, \ldots, \mathrm{R}-1)$ patterns, where $\mathrm{P}(j)$ is the original row position of the $j$-th permuted row.
$A \underline{P}_{\underline{A}}:\{19,9,14,4,0,2,5,7,12,18,10,8,13,17,3,1,16,6,15,11\}$ for $\mathrm{R}=20$
$\mathrm{BP}_{\underline{\underline{B}}}:\{19,9,14,4,0,2,5,7,12,18,16,13,17,15,3,1,6,11,8,10\}$ for $\mathrm{R}=20$
$\mathrm{EP}_{\underline{\mathrm{C}}}:\{9,8,7,6,5,4,3,2,1,0\}$ for $\mathrm{R}=10$
The usage of these patterns is as follows:
Block length K: Pattern $\underline{(j)}$
320 to 480 -bit: $\quad \mathrm{AP}_{\underline{A}}$
481 to 530 -bit: $\quad \in \underline{P}_{C}^{C}$
531 to 2280 -bit: $\mathrm{AP}_{\underline{A}}$
2281 to $2480-$ bit: $\mathrm{BP}_{\underline{\mathrm{B}}}$
2481 to 3160-bit: $\mathrm{AP}_{\underline{A}}$
3161 to $3210-$ bit: $B \underline{P}_{B}^{B}$
3211 to 8192-bit: $\mathrm{AP}_{\underline{A}}$
(2) The output of the mother interleaver is the sequence read out column by column from the permuted $\mathrm{R} \times \underline{C}$ matrix.

Table 4-yy. Table of prime $p$ and associated primitive root

| $p$ | $\mathrm{~g}_{\mathrm{o}}$ | $p$ | $\mathrm{~g}_{\mathrm{o}}$ | $P \underline{p}$ | $\mathrm{~g}_{\mathrm{o}}$ | $p$ | $\mathrm{~g}_{\mathrm{o}}$ | $p$ | $\mathrm{~g}_{\mathrm{o}}$ | $p$ | $\mathrm{~g}_{\mathrm{o}}$ | $p$ | $\mathrm{~g}_{\mathrm{o}}$ | $p$ | $\mathrm{~g}_{\mathrm{o}}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 17 | 3 | 59 | 2 | 103 | 5 | 157 | 5 | 211 | 2 | 269 | 2 | 331 | 3 | 389 | 2 |
| 19 | 2 | 61 | 2 | 107 | 2 | 163 | 2 | 223 | 3 | 271 | 6 | 337 | 10 | 397 | 5 |
| 23 | 5 | 67 | 2 | 109 | 6 | 167 | 5 | 227 | 2 | 277 | 5 | 347 | 2 | 401 | 3 |
| 29 | 2 | 71 | 7 | 113 | 3 | 173 | 2 | 229 | 6 | 281 | 3 | 349 | 2 | 409 | 21 |
| 31 | 3 | 73 | 5 | 127 | 3 | 179 | 2 | 233 | 3 | 283 | 3 | 353 | 3 |  |  |
| 37 | 2 | 79 | 3 | 131 | 2 | 181 | 2 | 239 | 7 | 293 | 2 | 359 | 7 |  |  |
| 41 | 6 | 83 | 2 | 137 | 3 | 191 | 19 | 241 | 7 | 307 | 5 | 367 | 6 |  |  |
| 43 | 3 | 89 | 3 | 139 | 2 | 193 | 5 | 251 | 6 | 311 | 17 | 373 | 2 |  |  |
| 47 | 5 | 97 | 5 | 149 | 2 | 197 | 2 | 257 | 3 | 313 | 10 | 379 | 2 |  |  |
| 53 | 2 | 101 | 2 | 151 | 6 | 199 | 3 | 263 | 5 | 317 | 2 | 383 | 5 |  |  |

### 4.2.2.2.2.2 Definition of number of pruning bits

The output of the mother interleaver is pruned by deleting the $l$-bits in order to adjust the mother interleaver to the block length K , where the deleted bits are non-existent bits in the input sequence. The pruning bits number $l$ is defined as:

$$
l=\mathrm{R} \times \mathrm{C}-\mathrm{K},
$$

where R is the row number and C is the column number defined in section 4.2.2.2.2.1.

