Birmingham, United Kingdom, 11-14 March 2003

Title: $\quad$ CRs (Rel-5) to TS 25.223
Source: TSG-RAN WG1
Agenda item: 8.1.5

TS 25.223 (RP-030140)

| Doc-1st- | Doc-2nd- | Spec | CR | Rev | Subject | Phase | Ca | Versio | Versio | Workitem |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| RP-030140 | (R1-030368 | 25.223 | 034 | 3 | Miscellaneous Corrections | Rel-5 | F | 5.2 .0 | 5.3 .0 | TEI-5 |

## CHANGE REQUEST

\% 25.223 CR 034 \& rev $\quad 3$ \% Current version: 5.2 .0 \%

For HELP on using this form, see bottom of this page or look at the pop-up text over the \& symbols.

Proposed change affects: UICC apps $\not 2 \square$
ME X Radio Access Network $\mathbf{X}$ Core Network


Reason for change: \& To correct the editorial mistakes
Summary of change: if Correction to some wrong references and typing mistakes
Consequences if H Confusion, misunderstanding, and unreadability of the spec not approved:

Clauses affected: \& $6.4,7.2,7.3,8.2$, AnnexB. 1

Other specs affected:

$\mathscr{H}$| $\mathbf{Y}$ | $\mathbf{N}$ |  |
| :--- | :--- | :--- |
|  | $\mathbf{N}$ | Other core specifications |
|  | $\mathbf{N}$ | Test specifications |
|  | $\mathbf{N}$ | O\&M Specifications |

Other comments: $\mathscr{H}$

### 6.4 Scrambling codes

The spreading of data by a real valued channelisation code $\mathbf{c}^{(k)}$ of length $\mathrm{Q}_{\mathrm{k}}$ is followed by a cell specific complex scrambling sequence $\underline{\mathbf{v}}=\left(\underline{v}_{1}, \underline{v}_{2}, \ldots, \underline{v}_{16}\right)$. The elements $\underline{v}_{i} ; i=1, \ldots, 16$ of the complex valued scrambling codes shall be taken from the complex set

$$
\begin{equation*}
\underline{\mathrm{V}}_{\underline{v}}=\{1, \mathrm{j},-1,-\mathrm{j}\} \tag{4}
\end{equation*}
$$

In equation 4 the letter j denotes the imaginary unit. A complex scrambling code $\underline{\mathbf{v}}$ is generated from the binary scrambling codes $\boldsymbol{v}=\left(v_{1}, v_{2}, \ldots, v_{16}\right)$ of length 16 shown in Annex A. The relation between the elements $\underline{\mathbf{v}}$ and $\mathbf{v}$ is given by:

$$
\begin{equation*}
\underline{v}_{i}=(\mathrm{j})^{i} \cdot v_{i} \quad v_{i} \in\{1,-1\}, \mathrm{i}=1, \ldots, 16 \tag{5}
\end{equation*}
$$

Hence, the elements $\underline{v}_{i}$ of the complex scrambling code $\underline{\mathbf{v}}$ are alternating real and imaginary.
The length matching is obtained by concatenating $\mathrm{Q}_{\mathrm{mAx}} / \mathrm{Q}_{\mathrm{k}}$ spread words before the scrambling. The scheme is illustrated in figure 2 and is described in more detail in subclause 6.55^.4.


Figure 2: Spreading of data symbols

### 7.2 Code Allocation

Three secondary SCH codes are QPSK modulated and transmitted in parallel with the primary synchronization code. The QPSK modulation carries the following information:

- the code group that the base station belongs to (32 code groups:5 bits; Cases 1, 2);
- the position of the frame within an interleaving period of 20 msec ( 2 frames: 1 bit, Cases 1,2 );
- the position of the SCH slot(s) within the frame ( 2 SCH slots: 1 bit, Case 2 ).

The modulated secondary SCH codes are also constructed such that their cyclic-shifts are unique, i.e. a non-zero cyclic shift less than 2 (Case 1) and 4 (Case 2) of any of the sequences is not equivalent to some cyclic shift of any other of the sequences. Also, a non-zero cyclic shift less than 2 (Case 1) and 4 (Case 2) of any of the sequences is not equivalent to itself with any other cyclic shift less than 8 . The secondary synchronization codes are partitioned into two code sets for Case 1 and four code sets for Case 2. The set is used to provide the following information:

## Case 1:

Table 2: Code Set Allocation for Case 1

| Code Set | Code Group |
| :---: | :---: |
| 1 | $0-15$ |
| 2 | $16-31$ |

The code group and frame position information is provided by modulating the secondary codes in the code set.
Case 2:
Table 3: Code Set Allocation for Case 2

| Code Set | Code Group |
| :---: | :---: |
| 1 | $0-7$ |
| 2 | $8-15$ |
| 3 | $16-23$ |
| 4 | $24-31$ |

The slot timing and frame position information is provided by the comma free property of the code word and the Code group is provided by modulating some of the secondary codes in the code set.

The following SCH codes are allocated for each code set:
Case 1
Code set 1: $\mathrm{C}_{1}, \mathrm{C}_{3}, \mathrm{C}_{5}$.
Code set 2: $\mathrm{C}_{10}, \mathrm{C}_{13}, \mathrm{C}_{14}$.
Case 2
Code set 1: $\mathrm{C}_{1}, \mathrm{C}_{3}, \mathrm{C}_{5}$.
Code set 2: $\mathrm{C}_{10}, \mathrm{C}_{13}, \mathrm{C}_{14}$.
Code set 3: $\mathrm{C}_{0}, \mathrm{C}_{6}, \mathrm{C}_{12}$.
Code set 4: $\mathrm{C}_{4}, \mathrm{C}_{8}, \mathrm{C}_{15}$.
The following subclauses 7.2.1 to 7.2.2 6.2.1 to 6.2 .2 refer to the two cases of SCH/P-CCPCH usage as described in [7].

Note that in the tables 4 and 5 corresponding to Cases 1 and 2, respectively, Frame 1 implies the frame with an odd SFN and Frame 2 implies the frame with an even SFN.

### 7.3 Evaluation of synchronisation codes

The evaluation of information transmitted in SCH on code group and frame timing is shown in table 6, where the 32 code groups are listed. Each code group is containing 4 specific scrambling codes (cf. subclause 6.45A.3), each scrambling code associated with a specific short and long basic midamble code.

Each code group is additionally linked to a specific $\mathrm{t}_{\text {offset }}$, thus to a specific frame timing. By using this scheme, the UE can derive the position of the frame border due to the position of the SCH sequence and the knowledge of toffset. The complete mapping of Code Group to Scrambling Code, Midamble Codes and $\mathrm{t}_{\text {offset }}$ is depicted in table 6.

Table 6: Mapping scheme for Cell Parameters, Code Groups, Scrambling Codes, Midambles and $\mathrm{t}_{\text {Offset }}$


For basic midamble codes $\mathrm{m}_{\mathrm{p}}$ cf. [7], annex A 'Basic Midamble Codes'.
Each cell shall cycle through two sets of cell parameters in a code group with the cell parameters changing each frame. Table 7 shows how the cell parameters are cycled according to the SFN.

Table 7: Alignment of cell parameter cycling and SFN

| Initial Cell Parameter Assignment | Code Group | Cell Parameter used when SFN $\bmod 2=0$ | Cell Parameter used when SFN $\bmod 2=1$ |
| :---: | :---: | :---: | :---: |
| 0 | Group 0 | 0 | 1 |
| 1 |  | 1 | 0 |
| 2 |  | 2 | 3 |
| 3 |  | 3 | 2 |
| 4 | Group 1 | 4 | 5 |
| 5 |  | 5 | 4 |
| 6 |  | 6 | 7 |
| 7 |  | 7 | 6 |
|  |  |  |  |
| 124 | Group 31 | 124 | 125 |
| 125 |  | 125 | 124 |
| 126 |  | 126 | 127 |
| 127 |  | 127 | 126 |

### 8.2 The uplink pilot timeslot (UpPTS)

The contents in UpPTS is composed of 128 _chips of a SYNC-UL sequence, cf. [AA. 2 Basic SYNC-UL sequence] and 32chips of guard period (GP) .The SYNC-UL code is not scrambled.

There should be 256 different basic SYNC-UL codes (see Table AA.2) for the whole system.
For the generation of the complex valued SYNC-UL codes of length 128, the basic binary SYNC-UL codes
$=\left(s_{1}, s_{2}, \ldots, s_{128}\right)$ of length 128 shown in Table AA. 2 are used. The relation between the elements $\underline{\mathbf{S}}_{\text {and }} \mathbf{s}$ is given by:

$$
\begin{equation*}
\underline{\mathrm{s}}_{i}=(\mathrm{j})^{i} \cdot s_{i} \quad s_{i} \in\{1,-1\}, \mathrm{i}=1, \ldots, 128 \tag{2}
\end{equation*}
$$

Hence, the elements $\underline{\mathbf{S}}_{i}$ of the complex SYNC-UL code $\underline{\mathbf{S}}$ are alternating real and imaginary.

## Annex B (informative): <br> Generalised Hierarchical Golay Sequences

## B. 1 Alternative generation

The generalised hierarchical Golay sequences for the PSC described in 7.16 .4 may be also viewed as generated (in real valued representation) by the following methods:

## Method 1.

The sequence y is constructed from two constituent sequences $x_{1}$ and $x_{2}$ of length $n_{1}$ and $n_{2}$ respectively using the following formula:

- $y(i)=x_{2}\left(i \bmod n_{2}\right) * x_{1}\left(i \operatorname{div} n_{2}\right), i=0 \ldots\left(n_{1} * n_{2}\right)-1$.

The constituent sequences $x_{1}$ and $x_{2}$ are chosen to be the following length 16 (i.e. $n_{l}=n_{2}=16$ ) sequences:

- $\quad x_{1}$ is defined to be the length $16\left(N^{(1)}=4\right)$ Golay complementary sequence obtained by the delay matrix $D^{(1)}=[8$, $4,1,2]$ and weight matrix $\mathrm{W}^{(1)}=[1,-1,1,1]$.
- $x_{2}$ is a generalised hierarchical sequence using the following formula, selecting $s=2$ and using the two Golay complementary sequences $x_{3}$ and $x_{4}$ as constituent sequences. The length of the sequence $x_{3}$ and $x_{4}$ is called $n_{3}$ respectively $n_{4}$.
- $\quad x_{2}(i)=x_{4}\left(i \bmod s+s^{*}\left(i \operatorname{div} s n_{3}\right)\right) * x_{3}\left((i \operatorname{div} s) \bmod n_{3}\right), i=0 \ldots\left(n_{3} * n_{4}\right)-1$.
- $\quad x_{3}$ and $x_{4}$ are defined to be identical and the length $4\left(N^{(3)}=N^{(4)}=2\right)$ Golay complementary sequence obtained by the delay matrix $\mathrm{D}^{(3)}=\mathrm{D}^{(4)}=[1,2]$ and weight matrix $\mathrm{W}^{(3)}=\mathrm{W}^{(4)}=[1,1]$.

The Golay complementary sequences $\mathrm{x}_{1}, \mathrm{x}_{3}$ and $\mathrm{x}_{4}$ are defined using the following recursive relation:

$$
\begin{aligned}
a_{0}(k) & =\delta(k) \text { and } b_{0}(k)=\delta(k) ; \\
a_{n}(k) & =a_{n-1}(k)+W^{(j)} \cdot{ }_{n} \cdot b_{n-1}\left(k-D^{(j)}{ }_{n}\right) ; \\
b_{n}(k) & =a_{n-1}(k)-W^{(j)}{ }_{n} \cdot b_{n-1}\left(k-D^{(j)}{ }_{n}\right) ; \\
k & =0,1,2, \ldots, 2^{* *} \mathrm{~N}^{(\mathrm{j})}-1 ; \\
n & =1,2, \ldots, \mathbf{N}^{(j)} .
\end{aligned}
$$

The wanted Golay complementary sequence $\mathrm{x}_{\mathrm{j}}$ is defined by $\mathrm{a}_{\mathrm{n}}$ assuming $\mathrm{n}=\mathrm{N}^{(\mathrm{j})}$. The Kronecker delta function is described by $\delta, \mathrm{k}, \mathrm{j}$ and n are integers.

## Method 2

The sequence y can be viewed as a pruned Golay complementary sequence and generated using the following parameters which apply to the generator equations for $a$ and $b$ above:
(a) Let $\mathrm{j}=0, \mathrm{~N}^{(0)}=8$.
(b) $\left[\mathrm{D}_{1}{ }^{0}, \mathrm{D}_{2}{ }^{0}, \mathrm{D}_{3}{ }^{0}, \mathrm{D}_{4}{ }^{0}, \mathrm{D}_{5}{ }^{0}, \mathrm{D}_{6}{ }^{0}, \mathrm{D}_{7}{ }^{0}, \mathrm{D}_{8}{ }^{0}\right]=[128,64,16,32,8,1,4,2]$.
(c) $\left[\mathrm{W}_{1}{ }^{0}, \mathrm{~W}_{2}{ }^{0}, \mathrm{~W}_{3}{ }^{0}, \mathrm{~W}_{4}{ }^{0}, \mathrm{~W}_{5}{ }^{0}, \mathrm{~W}_{6}{ }^{0}, \mathrm{~W}_{7}{ }^{0}, \mathrm{~W}_{8}{ }^{0}\right]=[1,-1,1,1,1,1,1,1]$.
(d) For $n=4,6$, set $b_{4}(k)=a_{4}(k), b_{6}(k)=a_{6}(k)$.

