## TSG-RAN Meeting \#7

Madrid, Spain, 13-15 March 2000
Title: $\quad$ Agreed CRs to TR 25.922
Source: TSG-RAN WG2
Agenda item: 6.3.3

| Doc-1st- | Spec | CR | Rev | Subject | Cat | Version | Versio |
| ---: | ---: | :---: | ---: | :--- | :--- | :--- | :--- |
| R2-000348 | 25.922 | 001 |  | PDSCH code usage and signalling | F | 3.0 .0 | 3.1 .0 |




| Reason for | Provides a description of the different ways in which the DSCH may be used and <br> discusses the different options for signalling the table mapping TFCI(field 2 ) values to |
| :--- | :--- |
| change: | TFC and PDSCH channelisation code. |

Clauses affected: 8.1


## Other comments: <br> help.doc

## 8 Dynamic Resource Allocation

### 8.1 Code Allocation Strategies for FDD mode

### 8.1.1 Introduction

Code allocation deals with the problem how different codes are allocated to different connections. The channelisation codes used for spreading are Orthogonal Variable Spreading Factor (OVSF) codes that preserve the orthogonality between a user's physical channel. The OVSF code is shown in the following figure:


Figure 8-1: OVSF Code Tree
Each level in the code tree is described as $\mathrm{C}_{\mathrm{SF}, \text { code number }}$, where the spreading factor (SF) is ranging from 4 to 512 for the chip rate of 3.84 Mcps . A code can be assigned to a UE if and only if no other code on the path from the specific code to the root of the tree or in the sub-tree below the specific code is assigned. For example, a random assignment of large-SF codes to low data rate channels may preclude a large number of small-SF codes. It inefficiently limits the number of remaining codes that could be used by other users. On the contrary, it will be advantageous to assign codes to low data rate users in such a way as to minimise the number of unavailable small-SF codes. Moreover, it is expected to be advantageous to assign users operative at a particular data rate to closely related codes so as to minimise the number of small-SF codes being marked as unavailable. A proper code allocation algorithm is used to find the "closely related code" to prevent the BS from running out of codes and to utilise the system resource effectively. The so-called "closely related code" would be obtained via a code allocation strategy according to the available codes of the BS and the capability of the UE.

### 8.1.2 Criteria for Code Allocation

OVSF codes are valuable resources in CDMA system. The objective of the code allocation is to support as many users as possible with less complexity.

In the application, different UEs may request for different types of services with different transmission rates. Each UE may have the capability to use more than one code to support different data rates. The following criteria can be envisaged:

1. Utilisation. The utilisation is defined as the ratio of assigned bandwidth and overall bandwidth. A code allocation scheme that preserves more small-SF codes has a higher chance to provide a higher utilisation. For example, $\mathrm{C}_{4,1}$ and $\left(\mathrm{C}_{8,1}, \mathrm{C}_{8,3}\right)$ are the available codes of a BS resulting from two different code allocation schemes. $\mathrm{C}_{4,1}$ (which is equivalent to codes $\mathrm{C}_{8,1}$ and $\mathrm{C}_{8,2}$ ) can support a symbol rate up to 960 kbps . ( $\mathrm{C}_{8,1}, \mathrm{C}_{8,3}$ ) can also support the same symbol rate as $\mathrm{C}_{4,1}$ does. However, only $\mathrm{C}_{4,1}$ can support the UE that requests for 960 kbps symbol rate using only one code (due to the capability of the handset). In this example, the former has more small-SF codes than the latter, thus, it will result in a better utilisation.
2. Complexity. The more codes are used, the complexity of the system will be increased. In some cases, there are more than one way to meet the first criterion mentioned above. For example, one UE can use either one code $\left(\mathrm{C}_{4,1}\right)$ or two codes $\left(\mathrm{C}_{8,1}\right.$ and $\left.\mathrm{C}_{8,2}\right)$ as the channelisation codes. Under this situation, the code allocation scheme that requires the least codes should be chosen.

### 8.1.3 Example of code Allocation Strategies

An example of code allocation algorithm based on the two above criteria is presented in the following. In order to indicate the available OVSF codes of the system, an order pair $C$, called a code-word, is introduced. Let
$C=\left(\mathrm{a}_{1}, \mathrm{a}_{2}, \mathrm{a}_{3}, \mathrm{a}_{4}, \mathrm{a}_{5}, \mathrm{a}_{6}, \mathrm{a}_{7}\right)$ denote the available codes for $\mathrm{SF}=(4,8,16,32,64,128,256)$, respectively, where $\mathrm{a}_{1} \leq 4, \mathrm{a}_{2} \leq 8, \mathrm{a}_{3} \leq 16$, $\mathrm{a}_{4} \leq 32, \mathrm{a}_{5} \leq 64, \mathrm{a}_{6} \leq 128$, and $\mathrm{a}_{7} \leq 256$. The total data rate (i.e. it has been normalised by a data rate of an OVSF code with $\mathrm{SF}=256$ ) supported by $C$ is called the weight $W$ and can be obtained by

$$
W(C)=\mathrm{a}_{1} \cdot 2^{6}+\mathrm{a}_{2} \cdot 2^{5}+\mathrm{a}_{3} \cdot 2^{4}+\mathrm{a}_{4} \cdot 2^{3}+\mathrm{a}_{5} \cdot 2^{2}+\mathrm{a}_{6} \cdot 2^{1}+\mathrm{a}_{7} .
$$

$S(n)$ is a set of code-words that can support a total data rate up to $n$ and it can be obtained by

$$
S(n)=\{C \mid W(C)=n, \forall C\} .
$$

The number of codes $N(C)$ required for transmitting a code-word $C$ can be calculated by

$$
N(C)=\mathrm{a}_{1}+\mathrm{a}_{2}+\mathrm{a}_{3}+\mathrm{a}_{4}+\mathrm{a}_{5}+\mathrm{a}_{6}+\mathrm{a}_{7} .
$$

Consider a UE which requests for a data rate of $n$. Define $C_{t}=\left(\mathrm{a}_{1}, \mathrm{a}_{2}, \mathrm{a}_{3}, \mathrm{a}_{4}, \mathrm{a}_{5}, \mathrm{a}_{6}, \mathrm{a}_{7}\right)$ and $C_{t^{\prime}}=\left(\mathrm{a}_{1^{\prime}}, \mathrm{a}_{2}, \mathrm{a}_{3^{\prime}}, \mathrm{a}_{4},, \mathrm{a}_{5}, \mathrm{a}_{6}, \mathrm{a}_{7}\right)$ are the code-words of the system before and after code allocation, respectively. For $W\left(C_{t}\right)=m$, we can find that $W\left(C_{t^{\prime}}\right)=W\left(C_{t}\right)-$ $n=m-n$.

For example, $m=13$ and $n=6 C_{t}=(0,0,0,0,2,1,3)$.
The possible candidates for the allocated codes is one of the element of set $S(6)$, where

$$
\begin{aligned}
& S(6)=\{(0,0,0,0,0,0,6),(0,0,0,0,0,1,4),(0,0,0,0,0,2,2),(0,0,0,0,1,0,2),(0,0,0,0,0,3,0),(0,0,0,0,1,1,0)\} \\
& \equiv\{C 1, C 2, C 3, C 4, C 5, C 6\} .
\end{aligned}
$$

Thus, the possible code-words of the system after allocating the codes to the UE can be obtained by

$$
\begin{aligned}
& T(7)=\left\{C_{t}-C 1, C_{t}-C 2, C_{t}-C 3, C_{t}-C 4, C_{t}-C 5, C_{t}-C 6\right\} \\
& =\{(0,0,0,0,1,1,1),(0,0,0,0,1,1,1),(0,0,0,0,1,1,1),(0,0,0,0,1,1,1),(0,0,0,0,1,0,3),(0,0,0,0,1,0,3)\} .
\end{aligned}
$$

According to the first criterion, $(0,0,0,0,1,1,1)$ is the preferred code-word (denoted as $\left.C_{o p t}\right)$ after the allocation and $C 1$, $C 2, C 3$, and $C 4$ are possible candidates for the allocated code-words. The number of codes required for these codewords are $N(C 1)=6, N(C 2)=5, N(C 3)=4$, and $N(C 4)=3$. According to the second criterion, $C 4$ would be chosen because it uses the least codes.

In general, it is not feasible to examine all of the possible code-words from the set $S(n)$ as illustrated above, especially for a large value of $n$. It is also a time-consuming process to find $T(m-n)$ by subtraction of the code-words individually. Here, a fast code allocation algorithm can be used to find the preferred code-word $C_{o p t}$, where

$$
C_{\text {opt }}=C_{t^{-}}\left(C_{t^{-}}(0,0,0,0,0,0, n)\right) .
$$

In the above example, $C_{t}=(0,0,0,0,2,1,3), n=6$, and $C_{t^{-}}(0,0,0,0,0,0,6)=(0,0,0,0,1,1,1)$. Therefore, $C_{\text {opt }}=(0,0,0,0,2,1,3)-$ $(0,0,0,0,1,1,1)=(0,0,0,0,1,0,2)=C 4$.

In a particular implementation of the code allocation algorithm, the BS could maintain a list of available codes. When UE requests for channel codes, the number of codes of different SF required supporting the required data rate could be identified by the code allocation algorithm. Upon identification of codes of suitable SFs, the BS will assign the codes from the table.

In the real system, the MS can use only $k$ codes for transmitting data. In some cases, the fast code allocation algorithm cannot be applied. Therefore, two situations may occur:

Situation I. $N\left(C_{\text {opt }}\right) \leq k$ :

- The procedure described above can be used and the allocated code-word $C=C_{o p t}$.

Situation II. $N\left(C_{\text {opt }}\right)>k$ :

- In this situation, the fast code allocation algorithm may not be applied because the MS can not support as many codes as that determined by $C_{\text {opt }}$. In this case, the allocated code-word $C$ is the one that $N(C)=k$. However, the new call requests will be blocked if the MS can not support the requested data rate with the given number of codes $k$.


### 8.1.4 PDSCH code management

In this section two typical examples are given of the way in which the UTRAN might configure usage of the DSCH.
Where the DSCH is supported the information provided on TFCI(field 2) has to enable the UE to look up both the TFC used on the DSCH CCTrCH as well as the PDSCH channelisation code. Hence this section also provides guidance on how to use the various options provided in the RRC protocol for signalling this mapping table.

PDSCH code management is simplified if a bearer is configured such that in any one TTI it is possible to select codes for transmission toward a single user from a wide range of the available set of PDSCH codes. However, since the length of the TFCI(field 2) is limited this can mean that the number of possible transport format combinations which can be used for this user at a given spreading factor is limited. In Table 1 an example of a possible mapping table is shown, where as discussed the bearer has been configured to give the UTRAN a high degree of flexibility in code assignment but with a restricted number of TFC options per spreading factor. In the example the TFCI (field 2) is assumed to be 5 bits long, the PDSCH code sub-tree is 5 spreading factors deep and the UTRAN allows only one possible TFC per spreading factor.

| TFCI (field 2) | CTFC | PDSCH Channelisation code |
| :---: | :---: | :---: |
| 0 | $\underline{\alpha}$ | SF=128, Code number $=0$ |
| 1 | $\alpha$ | $\underline{\mathrm{SF}=128, \text { Code number }=1}$ |
| $\underline{2}$ | $\underline{\alpha}$ | SF=128, Code number = 2 |
| $\underline{3}$ | $\underline{\alpha}$ | $\underline{\mathrm{SF}=128, \text { Code number }=3}$ |
| $\pm$ | $\vdots$ | : |
| 15 | $\underline{\alpha}$ | SF=128, Code number $=15$ |
| $\underline{16}$ | $\underline{\beta}$ | $\underline{\mathrm{SF}=64, \text { Code number }=0}$ |
| 17 | $\underline{\beta}$ |  |
| $\pm$ | - | - |
| $\underline{23}$ | $\underline{1}$ | SF=64, Code number $=7$ |
| 24 | $\chi$ | $S \mathrm{SF}=32$, Code number $=0$ |
| : | : | $\pm$ |
| $\underline{27}$ | $\chi$ | $\underline{S F=32, ~ C o d e ~ n u m b e r ~}=3$ |
| 28 | $\underline{\delta}$ | SF=16, Code number $=0$ |
| $\underline{29}$ | $\underline{\delta}$ | SF=16, Code number $=1$ |
| 30 | $\varepsilon$ | SF=8, Code number $=0$ |

Table 1) Example of a table which the UE must build to map TFCI (field 2) to CTFC and PDSCH channelisation code

In order to signal this mapping table it is possible to make use of 'for' loops in order to reduce the amount of signalling information which has to be transferred in order to describe the mapping, this would be done as follows:
for TFCI2 range 0 to 15
Channelisation codes have $\mathrm{SF}=128$, and the code numbers corresponding to the TFCI2 values range from 0 to 15
for TFCI2 range 16 to 23
Channelisation codes have $\mathrm{SF}=64$, and the code numbers corresponding to the TFCI2 values range from 0 to 7
$\vdots$
$\vdots$
for TFCI2 range 0 to 15
CTFC $=\alpha$
for TFCI2 range 16 to 23
CTFC $=\bullet$
$\vdots$
$\vdots$

This method for signalling the mapping table is possible by using the 'code range' CHOICE in the RRC 'PDSCH code mapping' IE and by using the 'TFCI range' CHOICE in the RRC 'Transport format combination set' IE.

It is also possible that under some circumstances an operator may prefer or need to configure the bearer such that there are only a restricted set of PDSCH codes which may be used for a certain UE but where a large number of possible transport format combinations must be supported on each code. This approach might be taken if for example a large number of services are being multiplexed toward the user. In this case, given the limited number of TFCI (field 2) bits the only option may be to restrict the range of PDSCH codes which can be assigned to the UE. An example of the mapping table for this case is shown in Table 2, the 5 bits of TFCI(field2) in this case being used to differentiate between different TFC's.

| TFCI (field 2) | CTFC | PDSCH Channelisation code |
| :---: | :---: | :---: |
| $\underline{0}$ | $\underline{\alpha}$ | $\underline{S F=32, ~ C o d e ~ n u m b e r ~}=0$ |
| 1 | - | $\underline{S F=32, ~ C o d e ~ n u m b e r ~}=0$ |
| 2 | - | $\underline{\mathrm{SF}=32, \text { Code } \text { number }=0}$ |
| 3 | - | $\underline{S F=32, ~ C o d e ~ n u m b e r ~}=0$ |
| $\underline{4}$ | - | $\underline{S F=32, ~ C o d e ~ n u m b e r ~}=0$ |
| $\underline{5}$ | - | $\underline{S F=32, ~ C o d e ~ n u m b e r ~}=0$ |
| - | - | - |
| 31 | $\bullet$ | $\underline{S F=32, ~ C o d e ~ n u m b e r ~}=0$ |

Table 2) Another example of the table which the UE must build to map TFCI to CTFC and channelisation code
In this case in order to signal the mapping between TFCI (field 2) and CTFC it is most efficient to use explicit signalling, ie. to have the CTFC identified individually for each possible value of TFCI(field 2). With regards to identifying the mapping between TFCI(field 2) and the channelisation code, it is on this occasion most efficient to identify the range of TFCI(field2) values for which the PDSCH channelisation code should be applied. This method for signalling the mapping table is possible by using the 'TFCI range' CHOICE in the RRC 'PDSCH code mapping' IE and by using the 'Explicit' CHOICE in the RRC 'Transport format combination set' IE.

