

Agenda Item : Ad Hoc 09

Source : LG Information & Communications, Ltd.

Title : Optimum ID Codes for Site Selection Diversity Transmission Power Control

Document for : Proposal of Optimum ID Codes for SSTD

Abstract

In this contribution, we propose the new optimum identification codes for SSTD (Site Selection Diversity Transmission), which maximizes the minimum Hamming distance and robust to fading channel environment. Thus we see that we can obtain about 0.2 ~ 0.8 dB gain in AWGN channel compared to the cell identification codes of current specification. And in the fading channel we also find about 0.5 ~ 2 dB performance gain.

1. Introduction

Site selection diversity transmit (SSTD) is power control optionally used to reduce the multiple transmission in a soft handover mode. The main objective is to transmit on the downlink from the primary cell, thus reducing the interference caused by multiple transmissions in a soft handover mode. In order to select a primary cell, each cell is assigned a temporary identification (ID) and UE periodically informs a primary cell ID to the connecting cells. The non-primary cells selected by UE switch off the transmission power. The primary cell ID is delivered by UE to the active cells via uplink FBI field.

Each cell is given a temporary ID during SSTD and the ID is utilised as site selection signal. The ID is given a binary bit sequence. There are three different lengths of coded ID available denoted as "long", "medium" and "short". The network decides which length of coded ID is used.

In this contribution, the new optimized ID code for SSTD is proposed to minimize the error rate in AWGN as well as in fading channel. We see that there are about 0.2 ~ 0.8 dB gain in AWGN channel compared to the cell identification codes of current specification as well as about 0.5 ~ 2 dB performance gain in fading channel.

2. Current ID Codes

There are three different lengths of coded ID available denoted as "long", "medium" and "short". The network decides which length of coded ID is used. Settings of current ID codes for 1-bit and 2-bit FBI are exhibited in table 1 and table 2, respectively.

Table 1: Settings of ID codes for 1 bit FBI (CURRENT)

ID label	ID code		
	"long"	"medium"	"short"
A	000000000000000	000000(0)	00000
B	111111111111111	111111(1)	11111
C	000000011111111	000011(1)	00011
D	111111110000000	111100(0)	11100
E	000011111111000	001110(0)	00110
F	111100000000111	110001(1)	11001
G	001111000011110	011001(0)	01010
H	110000111100001	100100(1)	10101

Table 2: Settings of ID codes for 2 bit FBI (CURRENT)

ID label	ID code (Column and Row denote slot position and FBI-bit position.)		
	"long"	"medium"	"short"
A	0000000(0)	000(0)	000
	0000000(0)	000(0)	000
B	1111111(1)	111(1)	111
	1111111(1)	111(1)	111
C	0000000(0)	000(0)	000
	1111111(1)	111(1)	111
D	1111111(1)	111(1)	111
	0000000(0)	000(0)	000
E	0000111(1)	001(1)	001
	1111000(0)	110(0)	100
F	1111000(0)	110(0)	110
	0000111(1)	001(1)	011
G	0011110(0)	011(0)	010
	0011110(0)	011(0)	010
H	1100001(1)	100(1)	101
	1100001(1)	100(1)	101

From the table 1, we see that the minimum Hamming distance of ID codes for 1 bit FBI is:

- $d_{\min} = 7$ for long code of length 15
- $d_{\min} = 4$ for medium code of length 8
- $d_{\min} = 3$ for punctured medium code of length 7
- $d_{\min} = 2$ for short code of length 5

And from table 2, the minimum Hamming distance of ID codes for 2 bit FBI is:

- $d_{\min} = 8$ for long code of length 16
- $d_{\min} = 6$ for punctured long code of length 14
- $d_{\min} = 4$ for medium code of length 8
- $d_{\min} = 2$ for punctured medium code of length 6
- $d_{\min} = 2$ for short code of length 6

3. Proposed ID codes

The following is the Hadamard codes of length 8 and 16, respectively.

Hadamard codes of length 8:

$H_{3,0} = 0000\ 0000$
 $H_{3,1} = 0101\ 0101$
 $H_{3,2} = 0011\ 0011$
 $H_{3,3} = 0110\ 0110$
 $H_{3,4} = 0000\ 1111$
 $H_{3,5} = 0101\ 1010$
 $H_{3,6} = 0011\ 1100$
 $H_{3,7} = 0110\ 1001$

Hadamard codes of length 16:

$H_{4,0} = 0000\ 0000\ 0000\ 0000$
 $H_{4,1} = 0101\ 0101\ 0101\ 0101$
 $H_{4,2} = 0011\ 0011\ 0011\ 0011$
 $H_{4,3} = 0110\ 0110\ 0110\ 0110$
 $H_{4,4} = 0000\ 1111\ 0000\ 1111$
 $H_{4,5} = 0101\ 1010\ 0101\ 1010$
 $H_{4,6} = 0011\ 1100\ 0011\ 1100$
 $H_{4,7} = 0110\ 1001\ 0110\ 1001$
 $H_{4,8} = 0000\ 0000\ 1111\ 1111$
 $H_{4,9} = 0101\ 0101\ 1010\ 1010$
 $H_{4,10} = 0011\ 0011\ 1100\ 1100$
 $H_{4,11} = 0110\ 0110\ 1001\ 1001$
 $H_{4,12} = 0000\ 1111\ 1111\ 0000$
 $H_{4,13} = 0101\ 1010\ 1010\ 0101$
 $H_{4,14} = 0011\ 1100\ 1100\ 0011$
 $H_{4,15} = 0110\ 1001\ 1001\ 0110$

From two Hadamard codes of length 8 and 16, we see that all the first bits are always zeros. Hence these first bits do not decrease the minimum Hamming distance after puncturing. Using this property, we propose the new ID codes for 1 bit and 2 bit FBI as following.

Table 3: Settings of ID codes for 1 bit FBI (Proposed)

ID label	ID code		
	"long"	"medium"	"short"
A	000000000000000	(0)0000000	00000
B	101010101010101	(0)1010101	10110
C	011001100110011	(0)0110011	01101
D	110011001100110	(0)1100110	11011
E	000111100001111	(0)0001111	00011
F	101101001011010	(0)1011010	10101
G	011110000111100	(0)0111100	01110
H	110100101101001	(0)1101001	11000

Table 4: Settings of ID codes for 2 bit FBI (Proposed)

ID label	ID code (Column and Row denote slot position and FBI-bit position.)		
	"long"	"medium"	"short"
A	(0)0000000	(0)000	000
	(0)0000000	(0)000	000
B	(0)0000000	(0)000	000
	(1)1111111	(1)111	111
C	(0)1010101	(0)101	101
	(0)1010101	(0)101	101
D	(0)1010101	(0)101	101
	(1)0101010	(1)010	010
E	(0)0110011	(0)011	011
	(0)0110011	(0)011	011
F	(0)0110011	(0)011	011
	(1)1001100	(1)100	100
G	(0)1100110	(0)110	110
	(0)1100110	(0)110	110
H	(0)1100110	(0)110	110
	(1)0011001	(1)001	001

From the table 3, we see that the minimum Hamming distance of proposed ID codes for 1 bit FBI is:

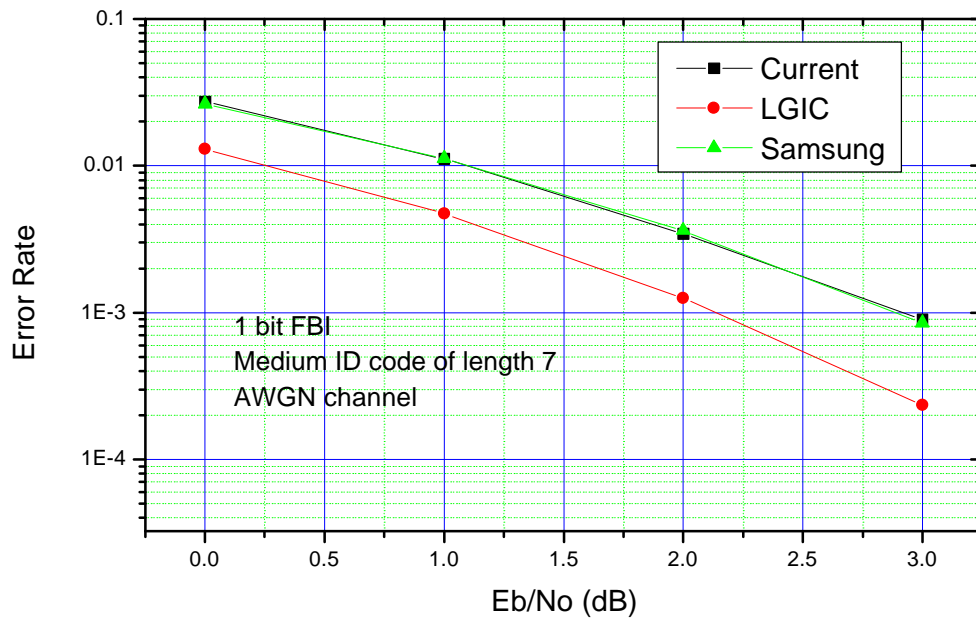
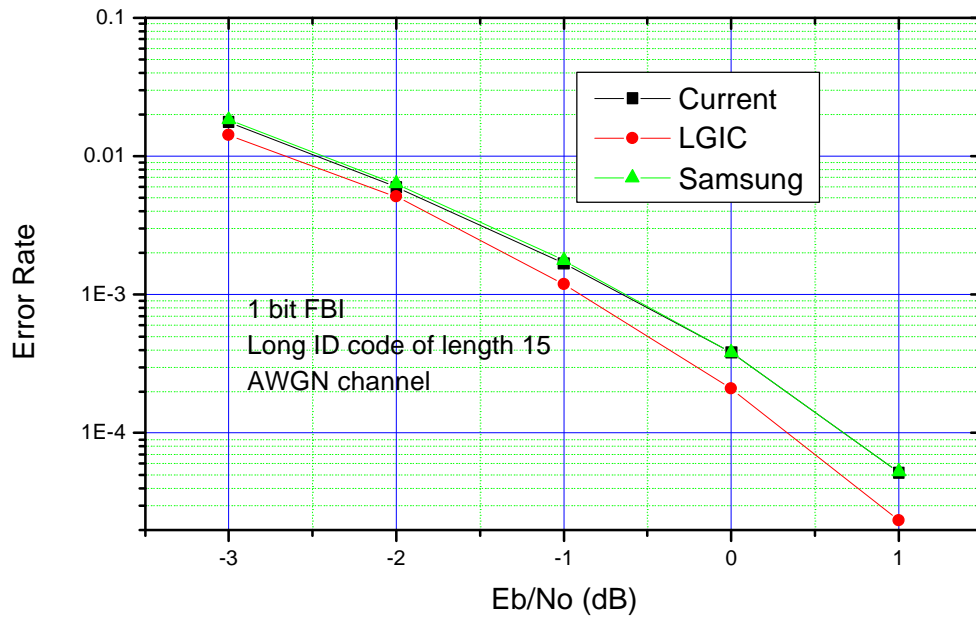
- $d_{\min} = 8$ for long code of length 15
- $d_{\min} = 4$ for medium code of length 8
- $d_{\min} = 4$ for punctured medium code of length 8
- $d_{\min} = 2$ for short code of length 5

And from table 2, the minimum Hamming distance of ID codes for 2 bit FBI is:

- $d_{\min} = 8$ for long code of length 16
- $d_{\min} = 7$ for punctured long code of length 14
- $d_{\min} = 4$ for medium code of length 8
- $d_{\min} = 3$ for punctured medium code of length 6
- $d_{\min} = 3$ for short code of length 6

4. Performance evaluation

AWGN Channel



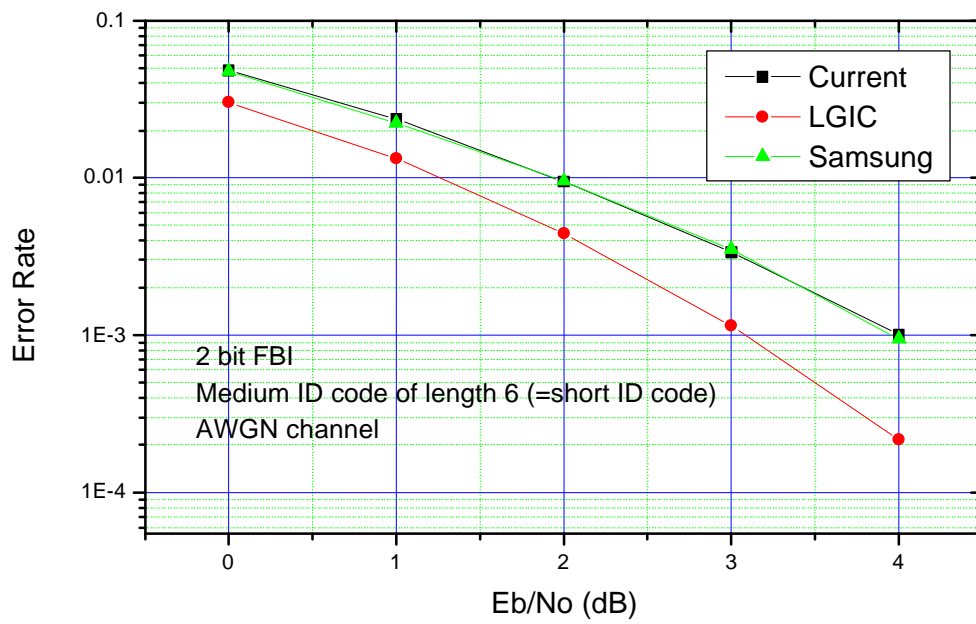
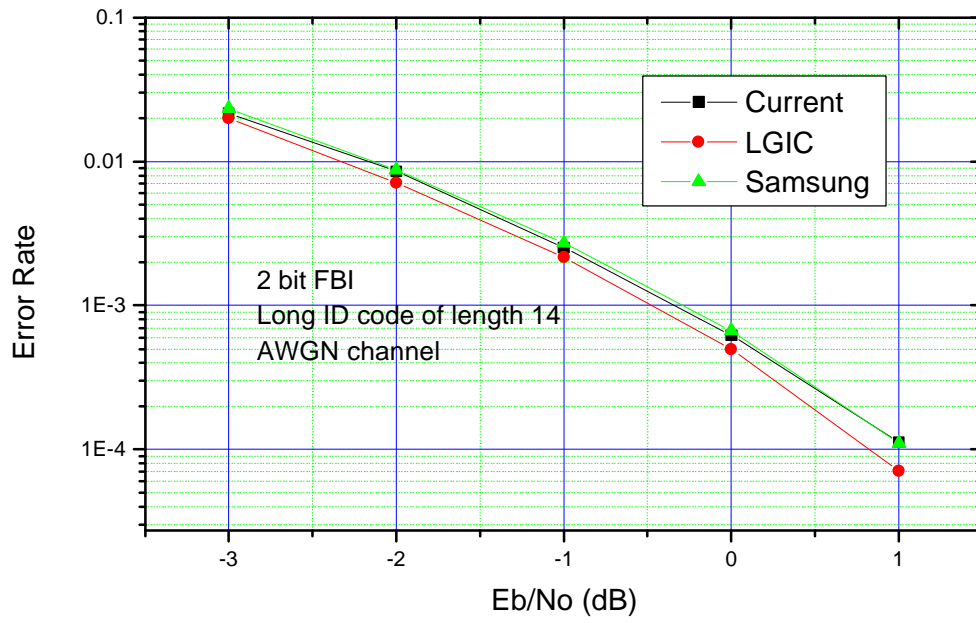


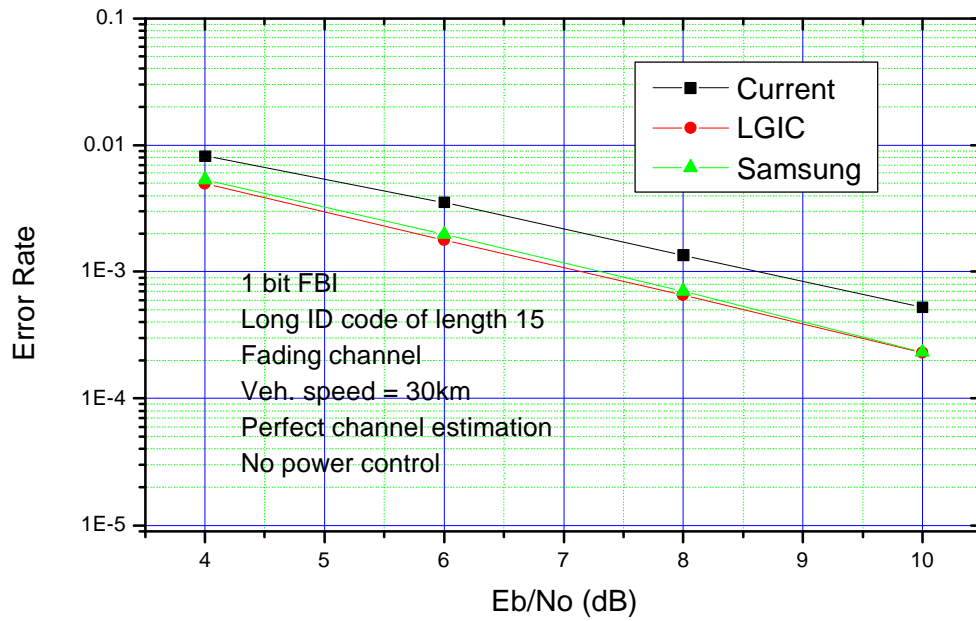
Table 5. Performance gain difference (dB) between different ID codes in AWGN channel, reference is Current ID codes.

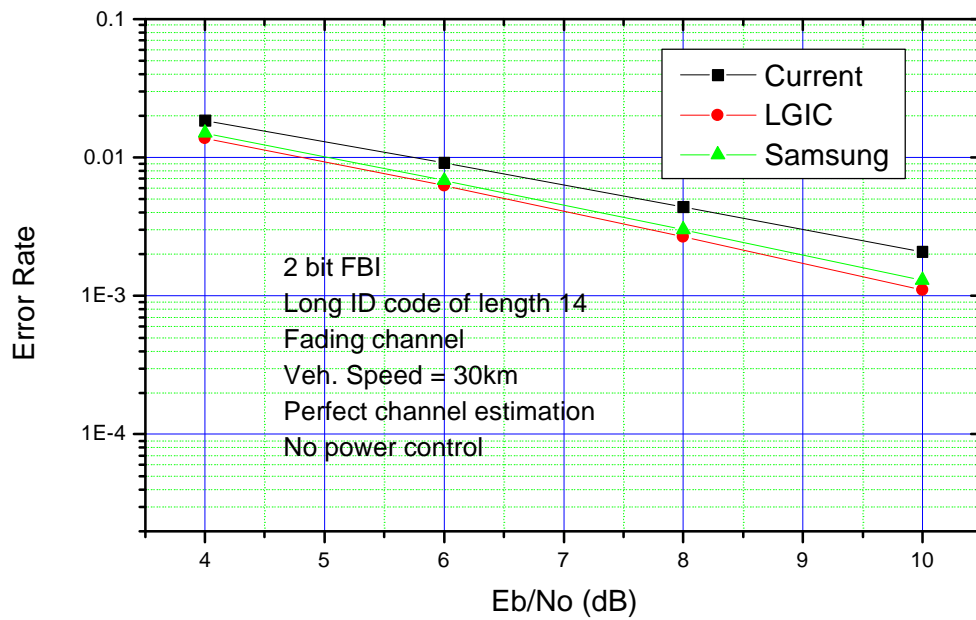
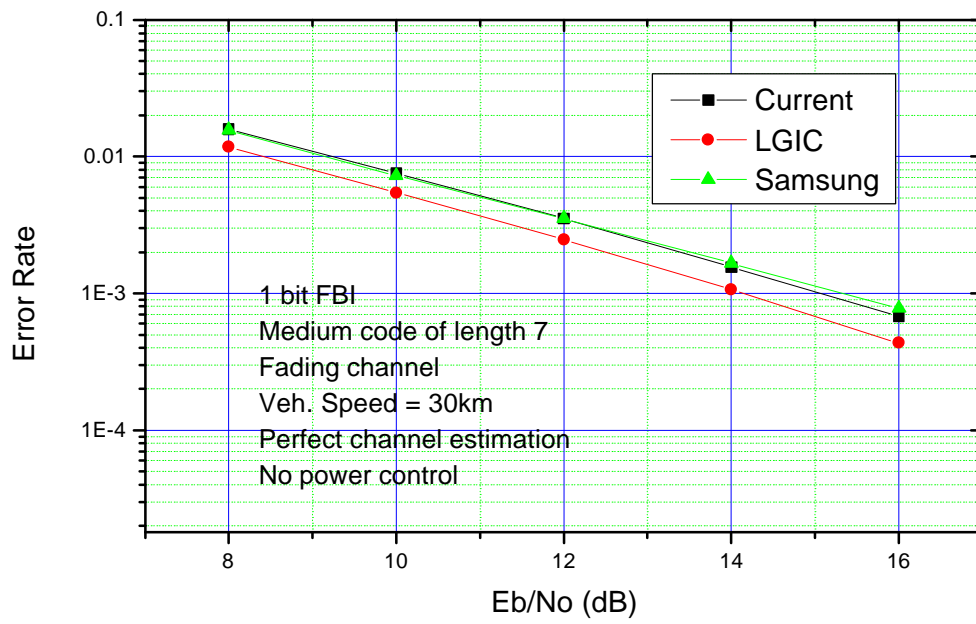
AWGN channel	1 bit FBI		2 bit FBI	
	Long (15 bits)	Medium (7 bits)	Long (14 bits)	Medium (6 bits)
Current	0	0	0	0
SS	0	0	0	0
LG	0.3	0.7	0.2	0.8

Fading Channel

Simulation condition:

- 1path
- Perfect channel estimation
- No power control
- Veh. Speed = 30km





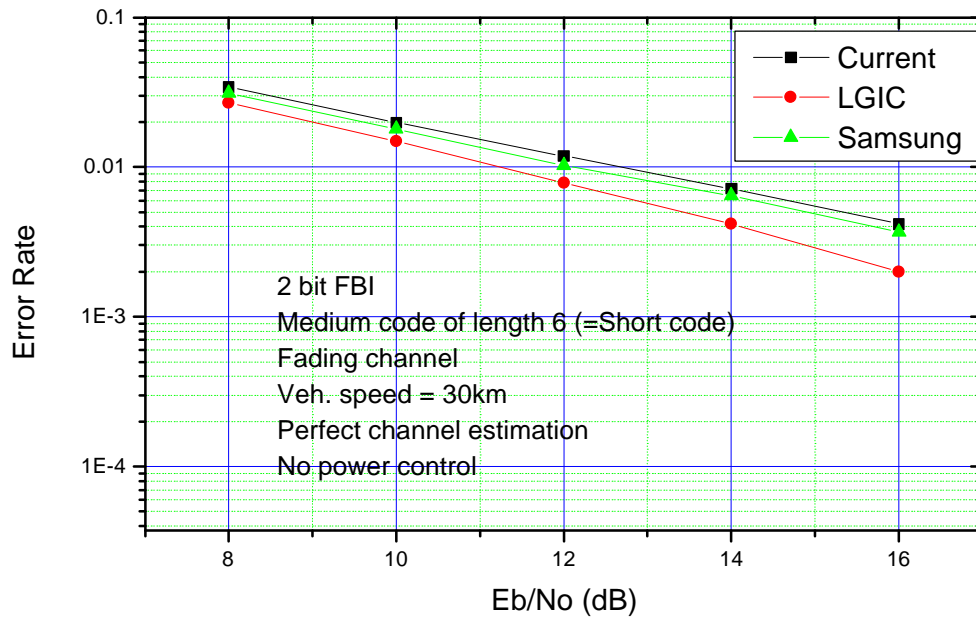


Table 6. Performance gain difference (dB) between different ID codes in Fading channel, reference is Current ID codes.

Fading channel	1 bit FBI		2 bit FBI	
	Long (15 bits)	Medium (7 bits)	Long (14 bits)	Medium (6 bits)
Current	0	0	0	0
SS	1.2	0	1	0.2
LG	1.5	0.5	1.3	2

6. Conclusion

In this contribution, we proposed the new optimized ID code for SSĐT and we found that there is significant performance gain compared to the current ID codes. We found 0.2 ~ 0.8 dB performance gain in AWGN channel as well as 0.5 ~ 2 dB dB gain in fading channel.

References

- [1] "UTRA FDD ; Multiplexing and channel coding", 3GPP TS25.212 v3.0.0 (1999-10), TSGRAN#5(99)588.
- [2] Samsung, "SSĐT ID code", R1-99j40.